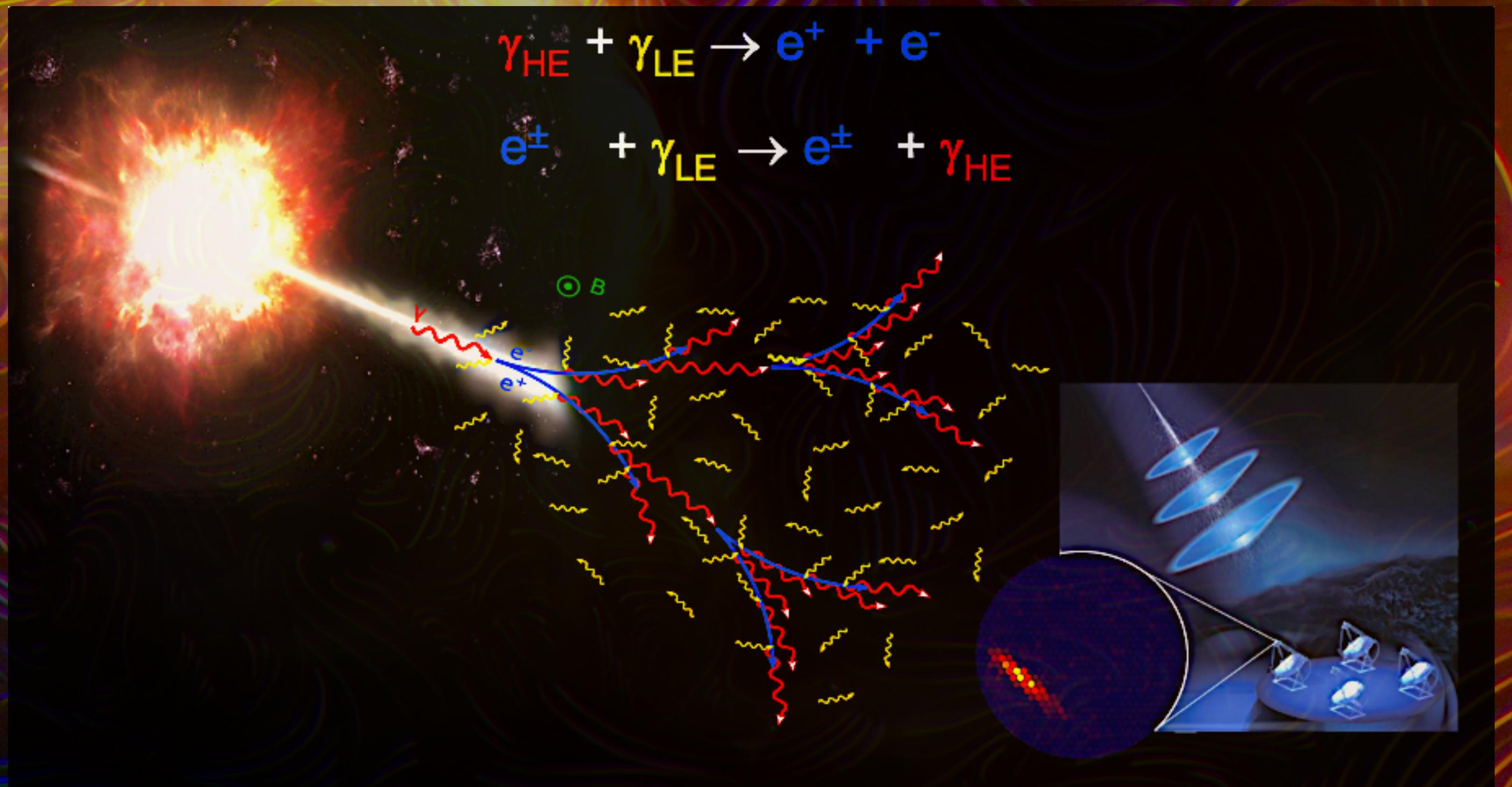
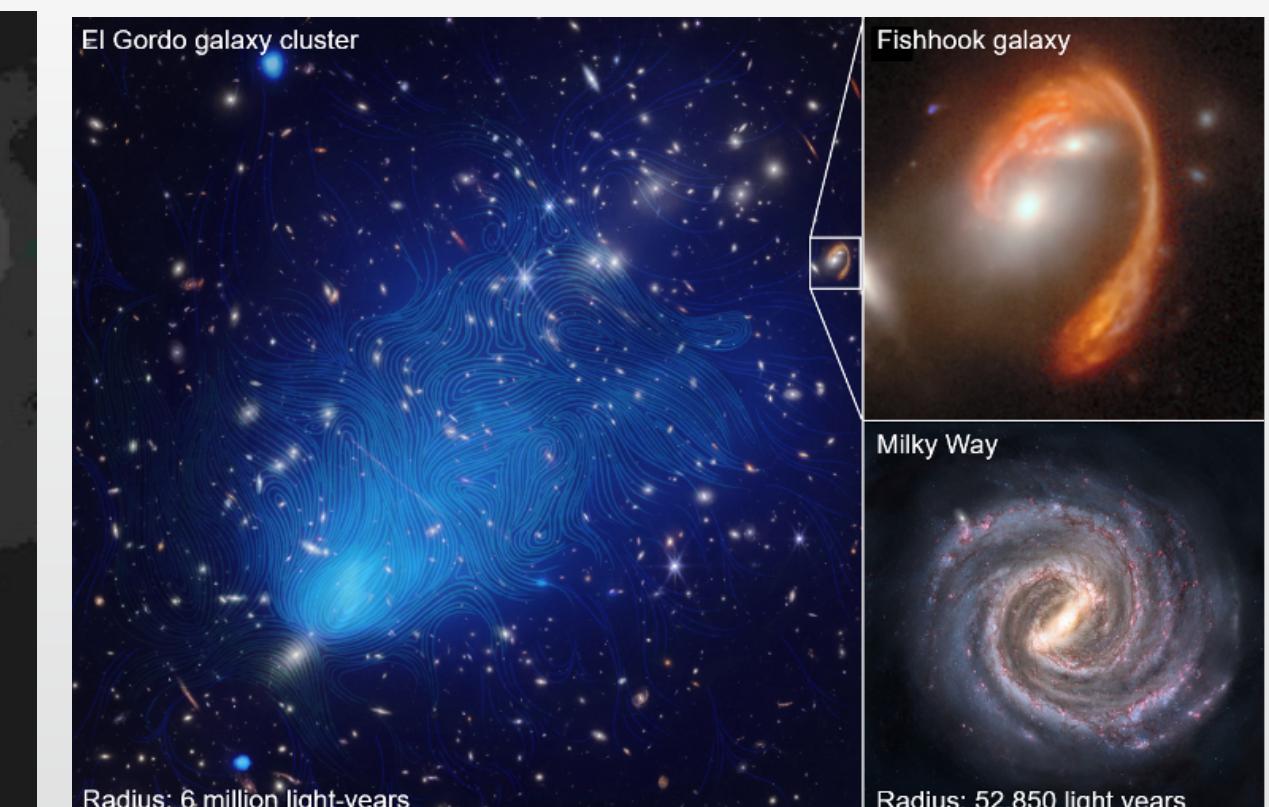
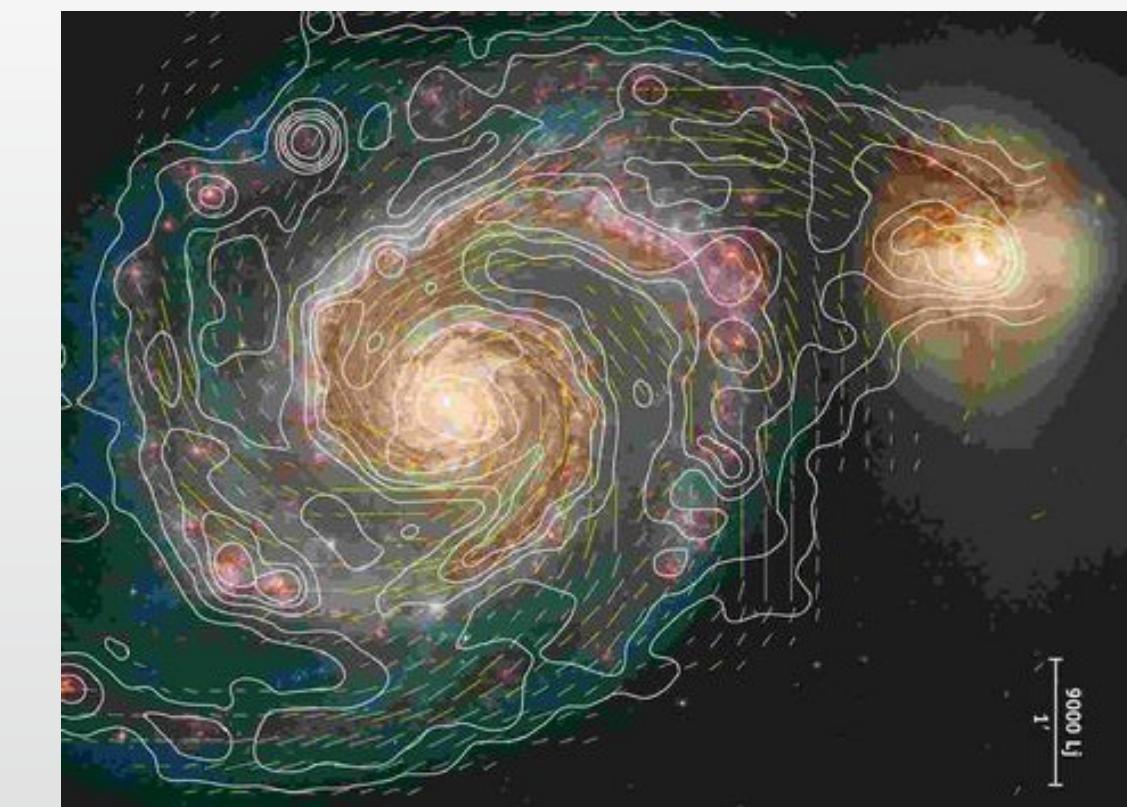
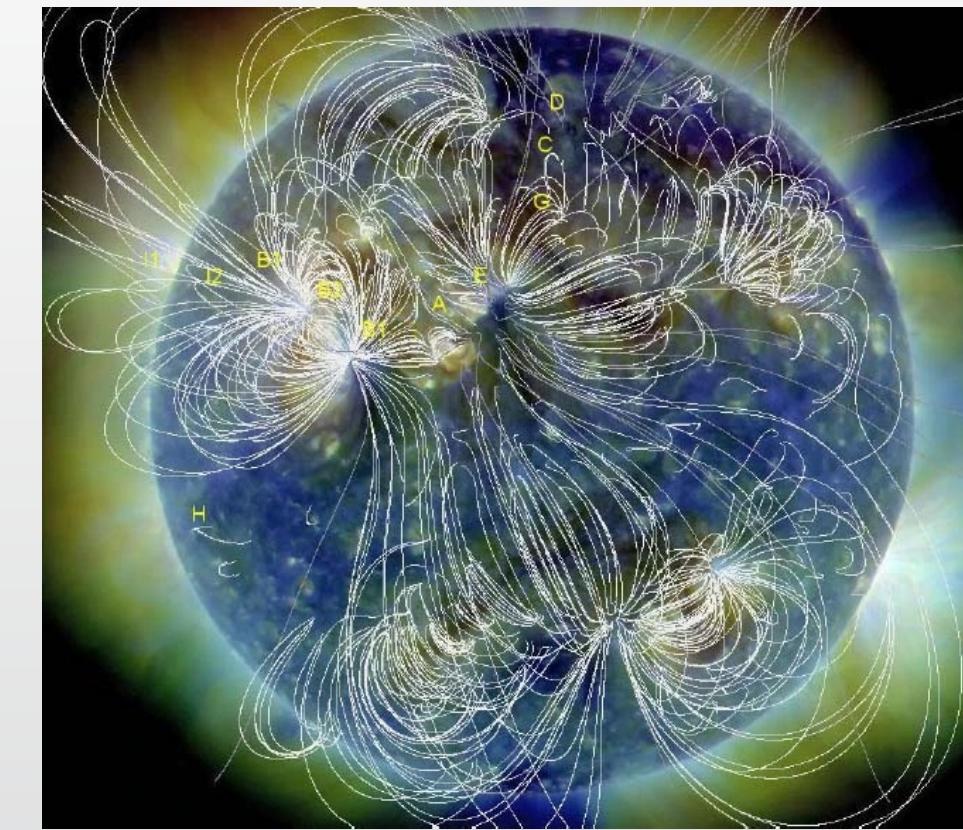
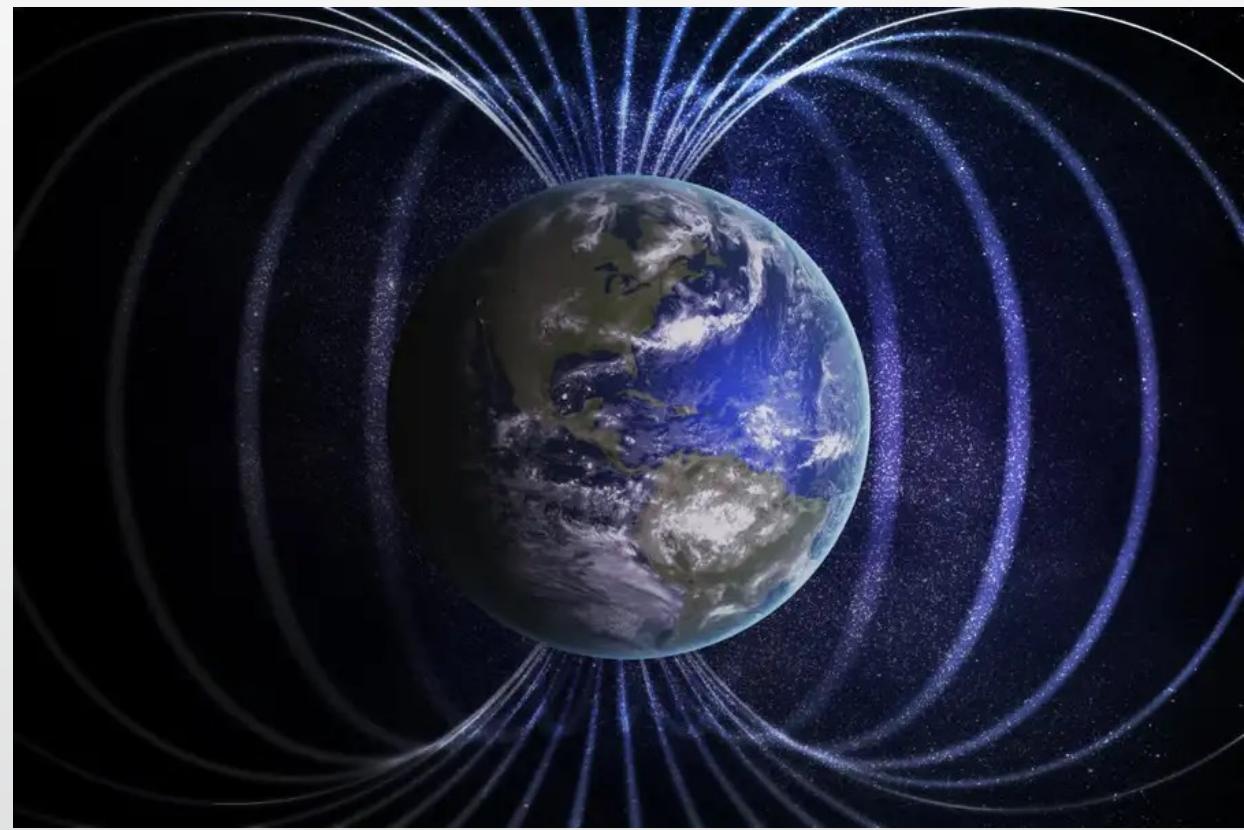


InterGalactic Magnetic Field and Gamma-Ray Bursts with CTAO



Ténéman Keita

Magnetic fields universality



50 G

1 G

10 μ G

Refs in appendix

30 nG

Planets

Stars

Galaxies

Clusters

Filaments

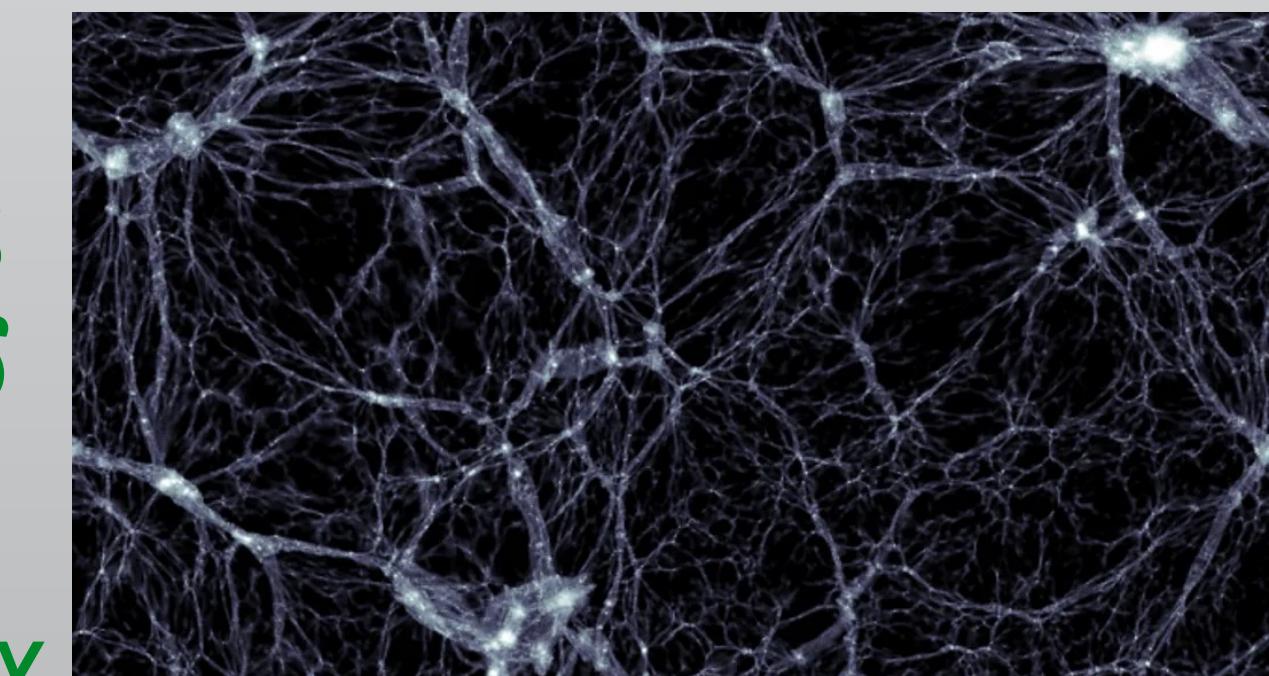
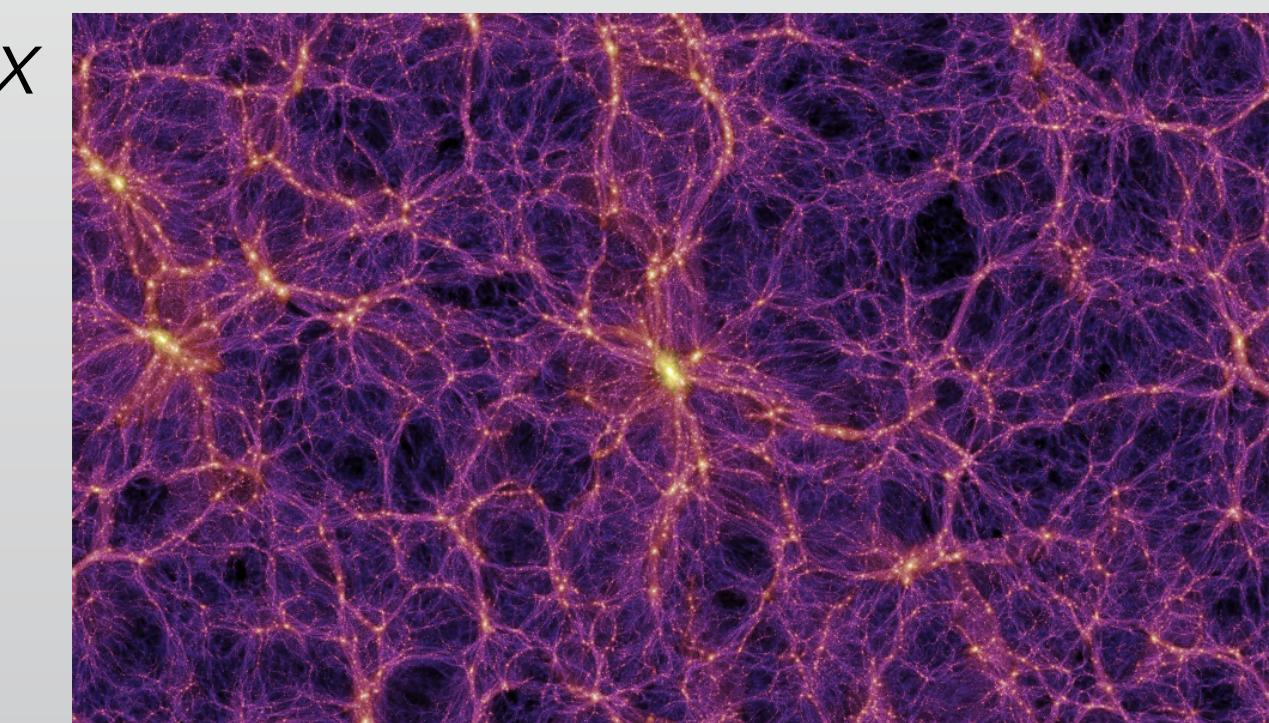
Voids

22 fG

Cosmological size

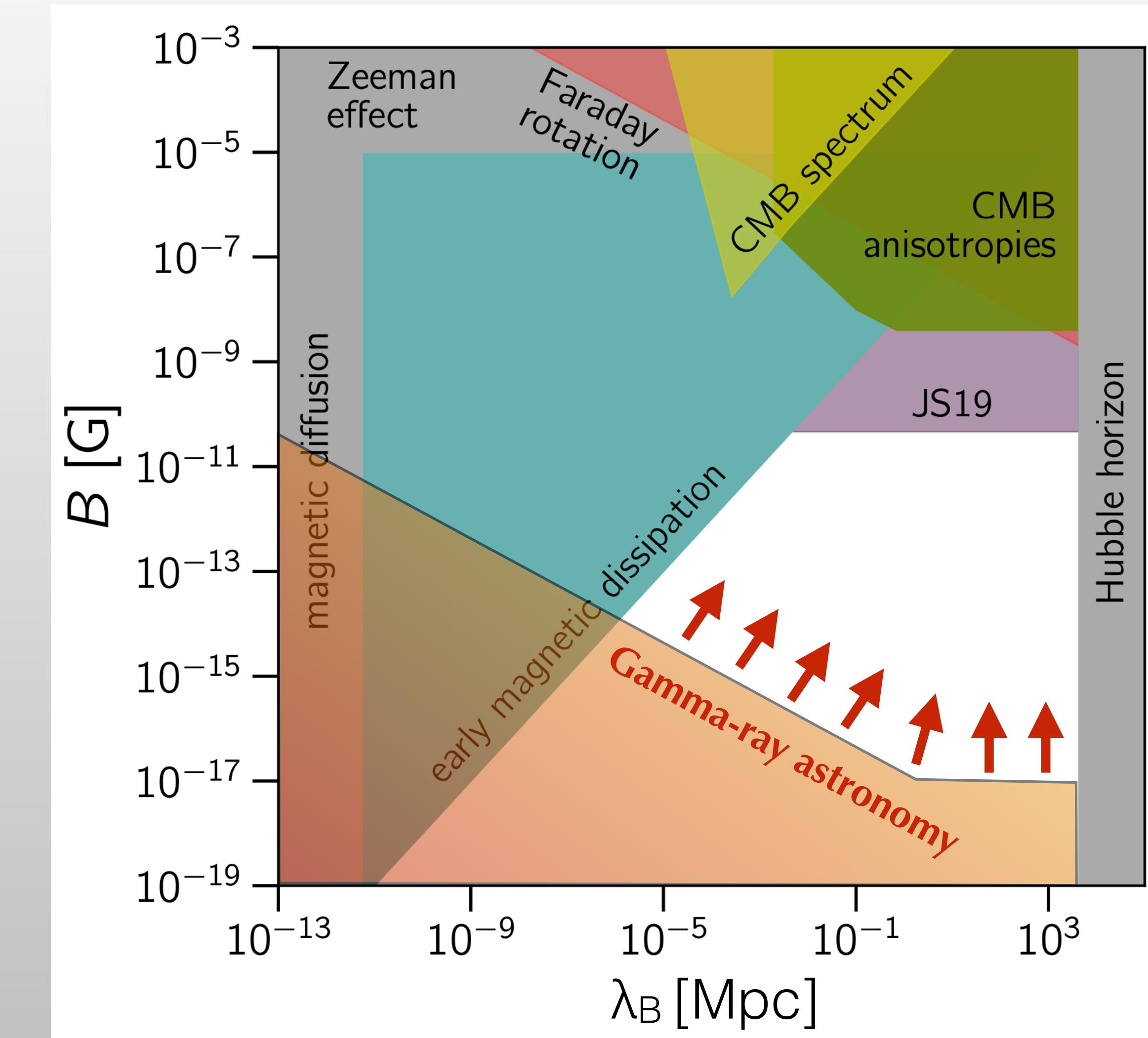
Magnetic intensity

- Magnetic fields exist at every scale
- What is the origin of cosmological magnetic fields ?
 - The InterGalactic Magnetic Field (IGMF)

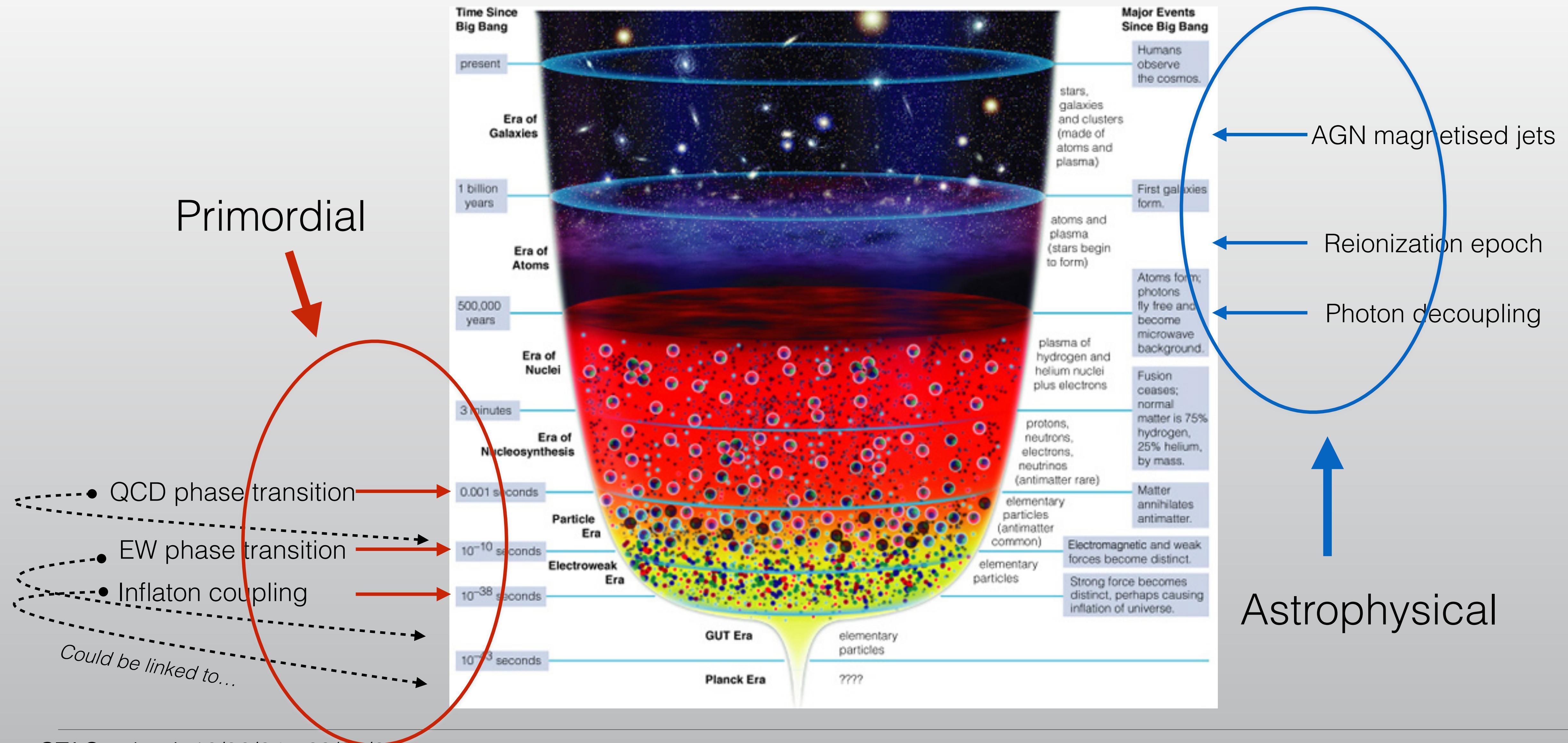


The InterGalactic Magnetic Field (IGMF)

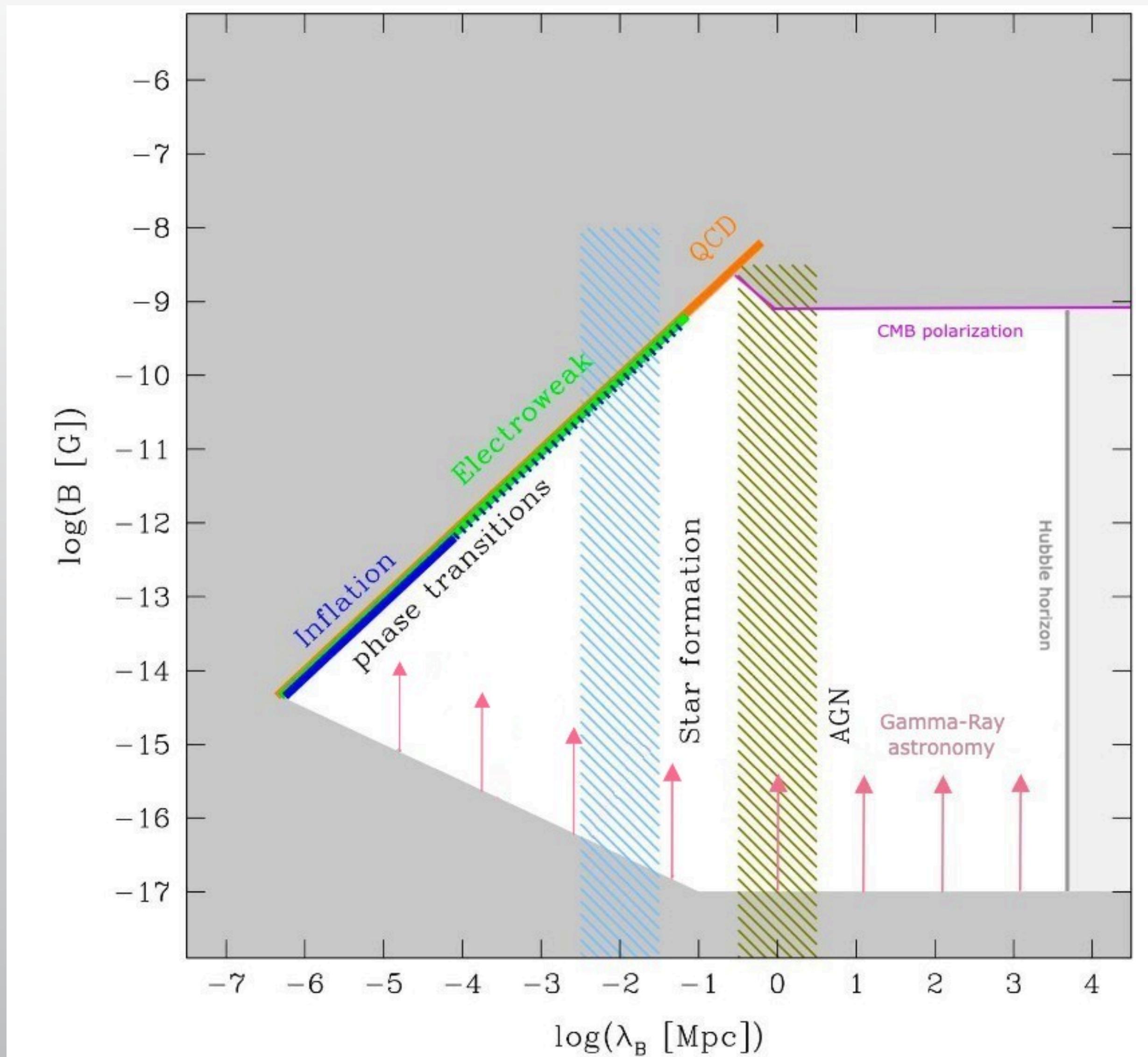
- A turbulent field: mean intensity B , correlation length λ_B
- Too weak for a direct detection
- Altered in galaxy clusters and filaments
- Constraining the IGMF in the voids may help understanding its origin



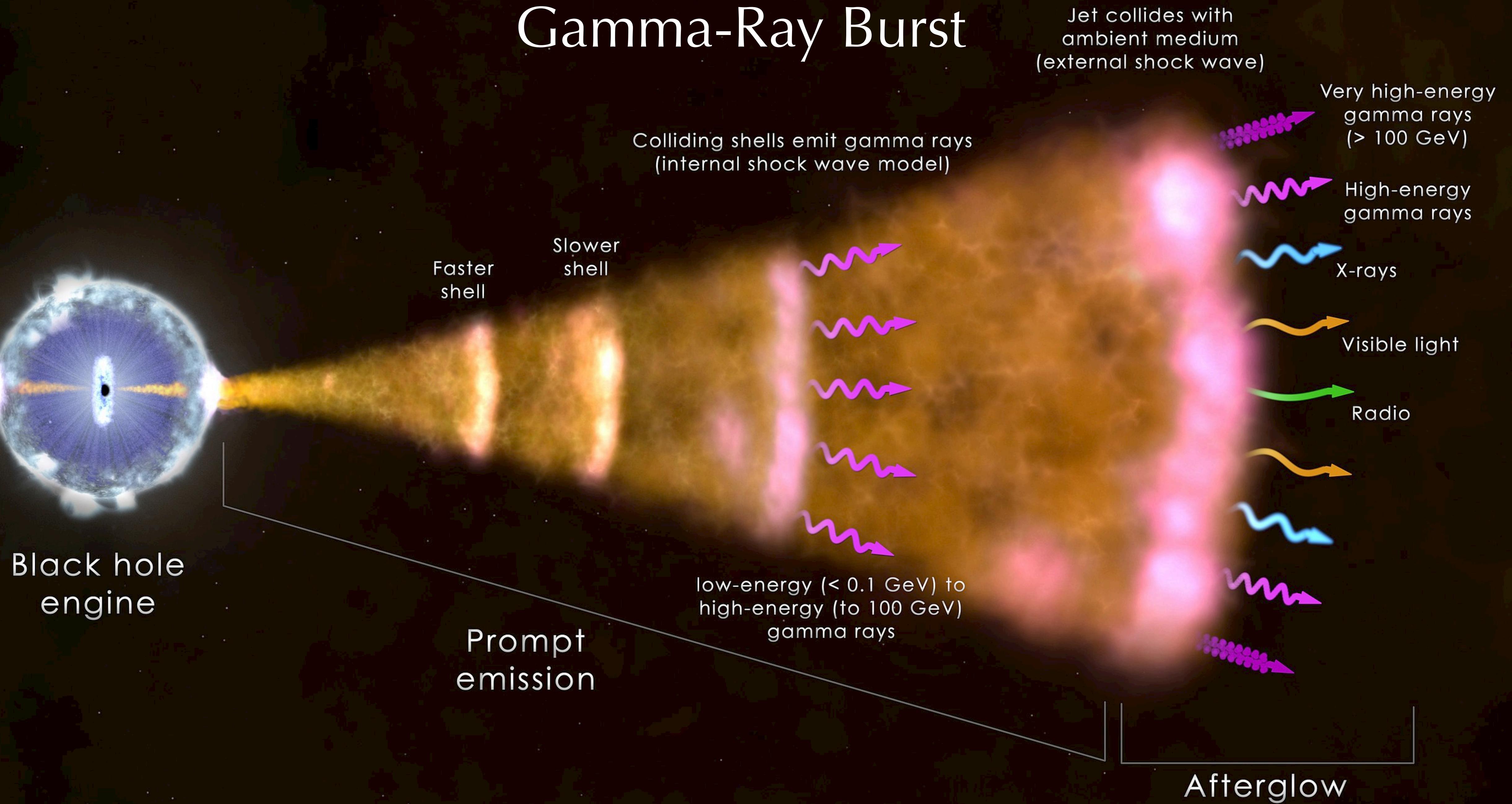
Primordial magnetogenesis



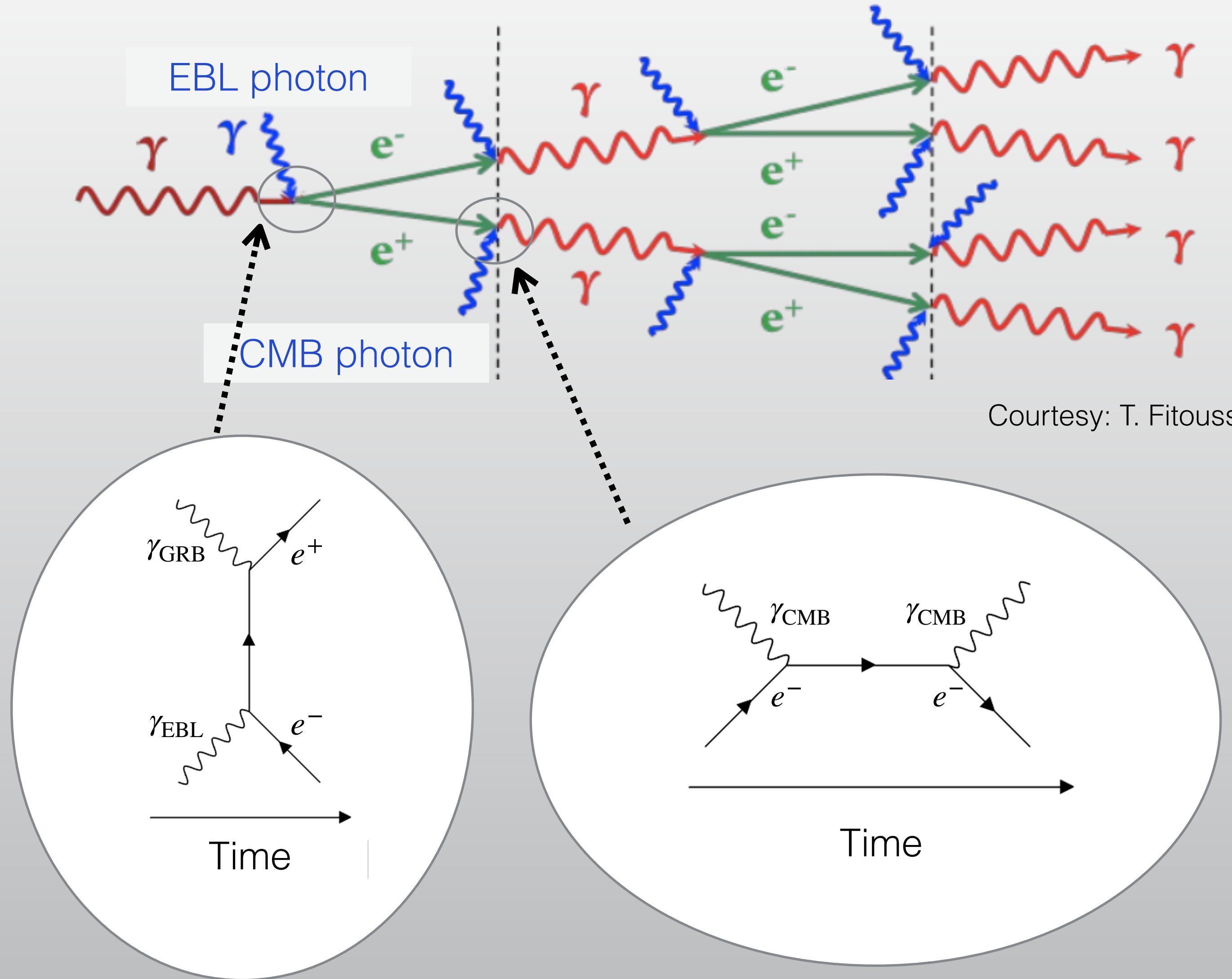
Theoretical constraints



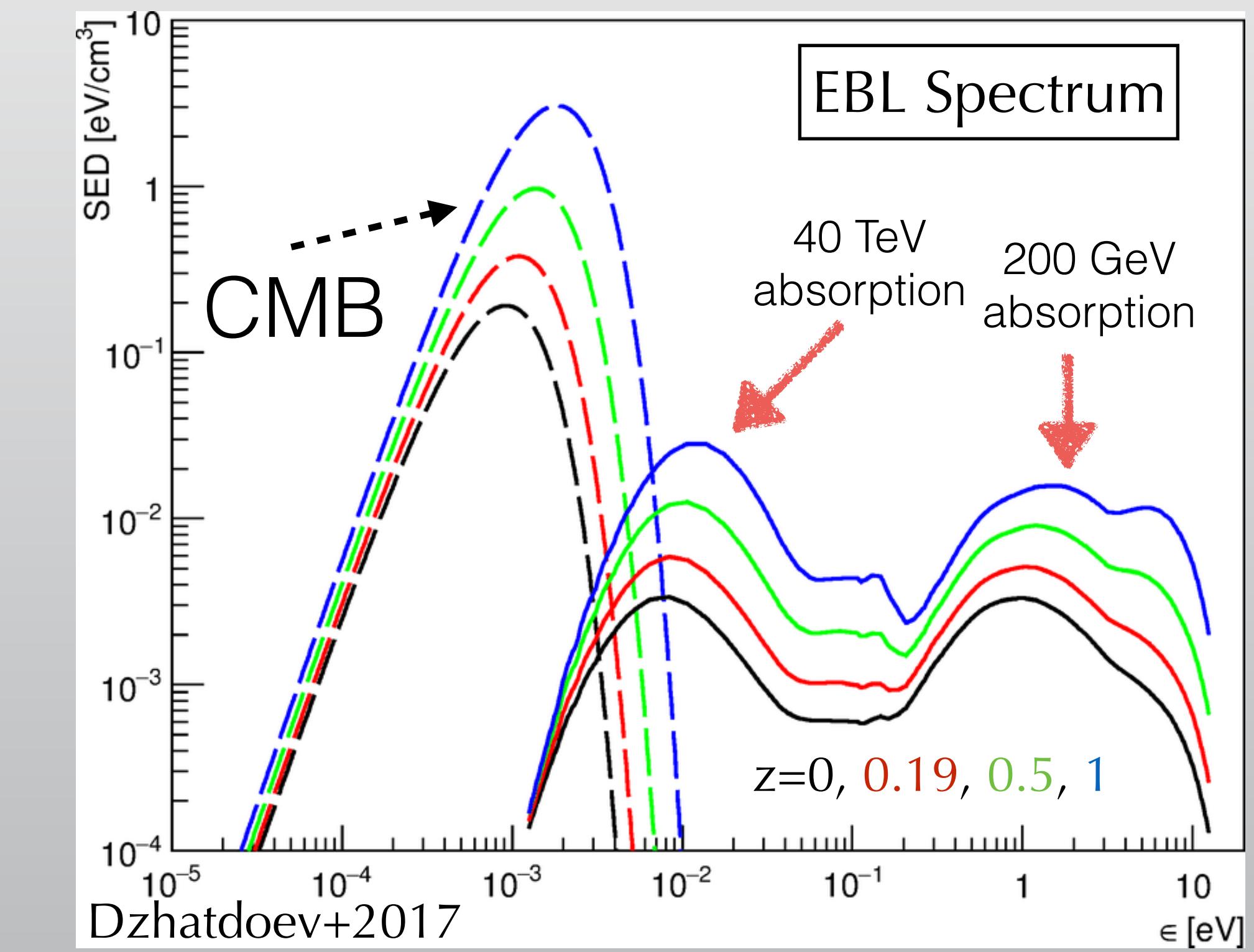
Gamma-Ray Burst



Cosmological electromagnetic cascades



- **Secondary emission expected in the GeV-TeV band**
 - No unambiguous detection so far...
 - => **lower limits on the IGMF**



Expected IGMF signatures

- **The Intergalactic Magnetic Field deflects pairs in the cascade**

- For large correlation length (uniform field): $\delta \propto Bx^2 \propto BE_e^{-2} \propto BE_{ic}^{-1}$

- **Angular effect:**

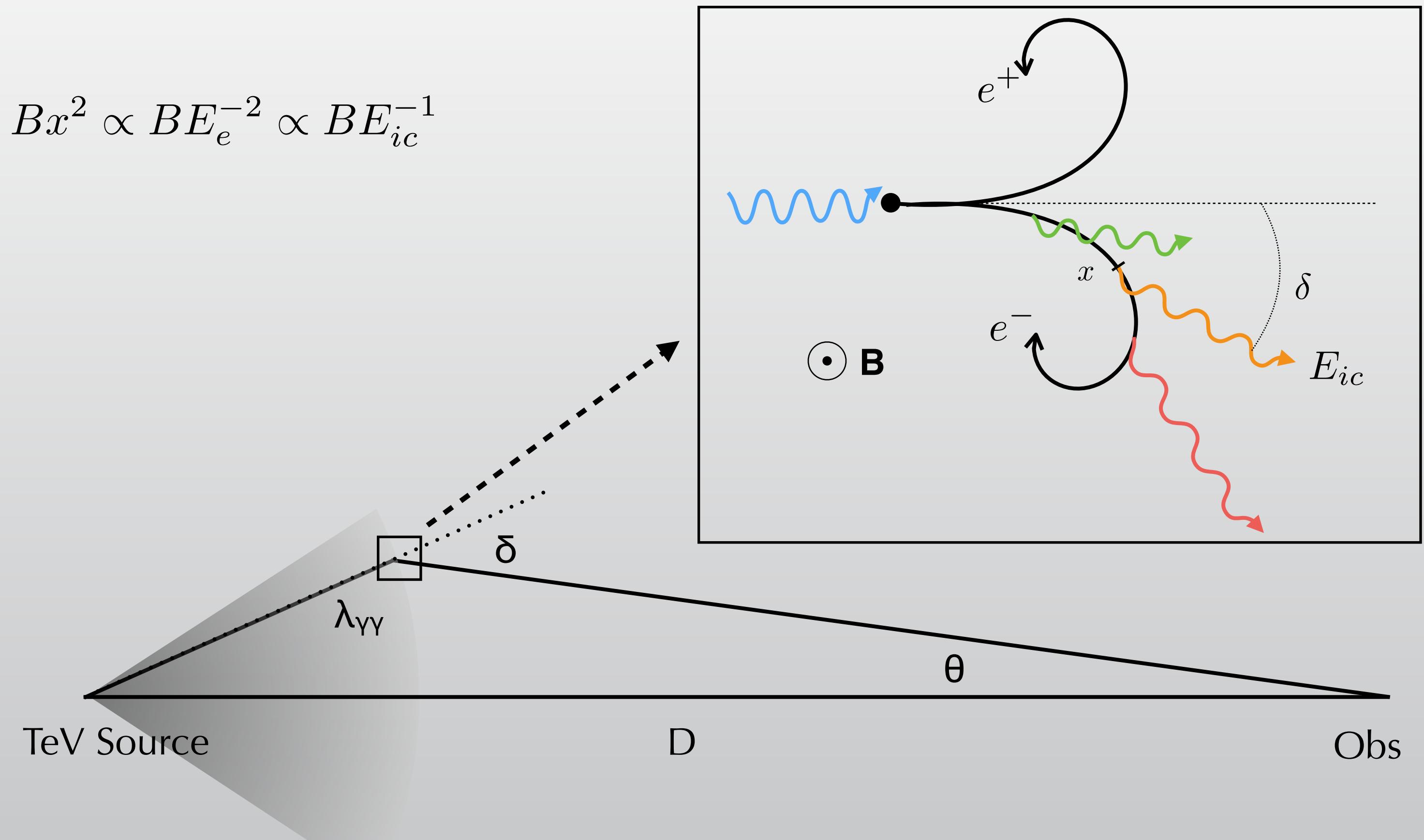
- Require stable, long living sources: **AGN**

- **Temporal effect:**

- Need for transient sources: **GRBs**

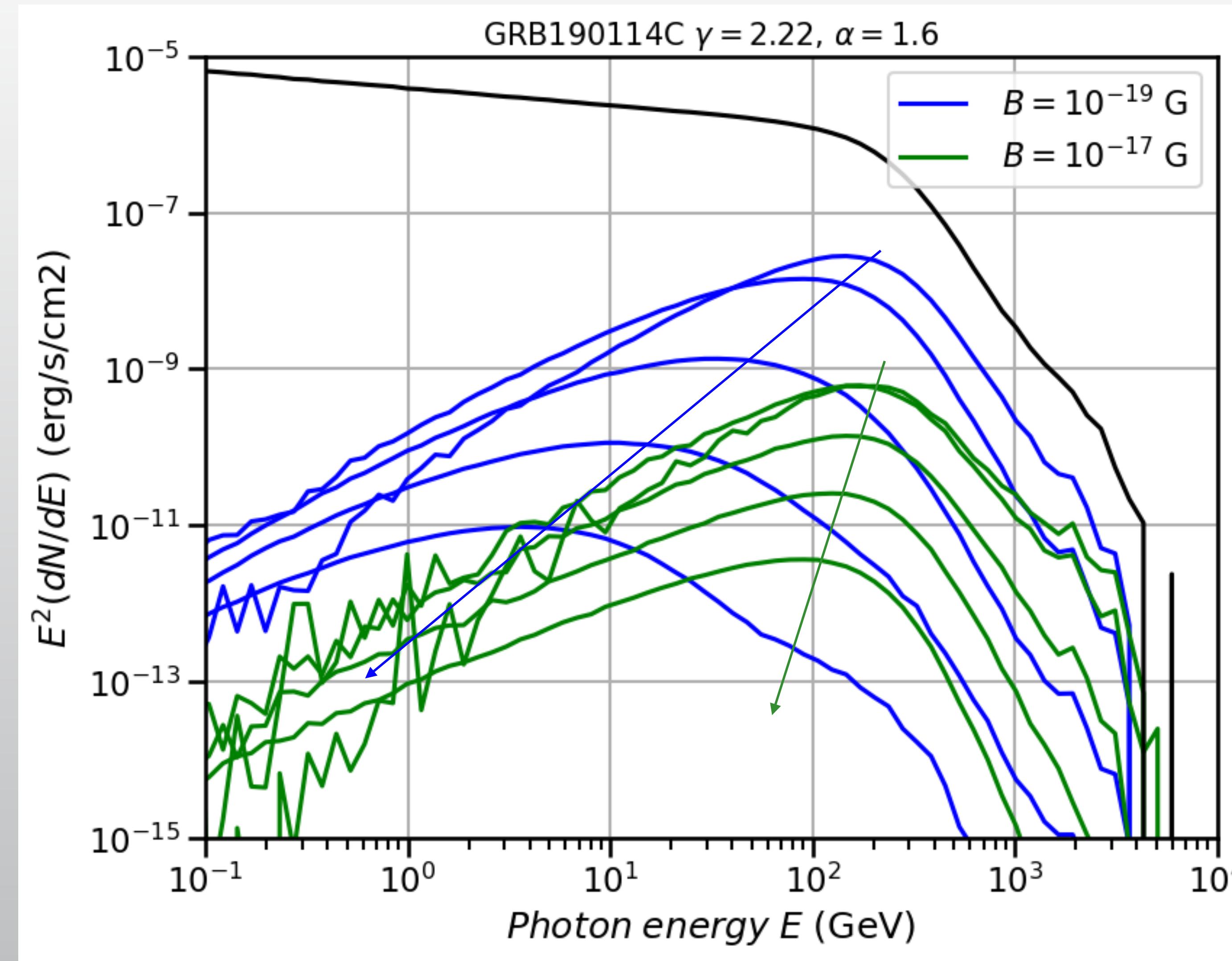
- **Time and angular effects are well separated and complementary**

$$\Delta t \approx 5 \times 10^4 \left(\frac{D}{1\text{Gpc}} \right)^2 \left(\frac{\lambda_{\gamma\gamma}}{100\text{Mpc}} \right)^{-1} \left(\frac{\theta}{0.1^\circ} \right)^2 \text{yr}$$

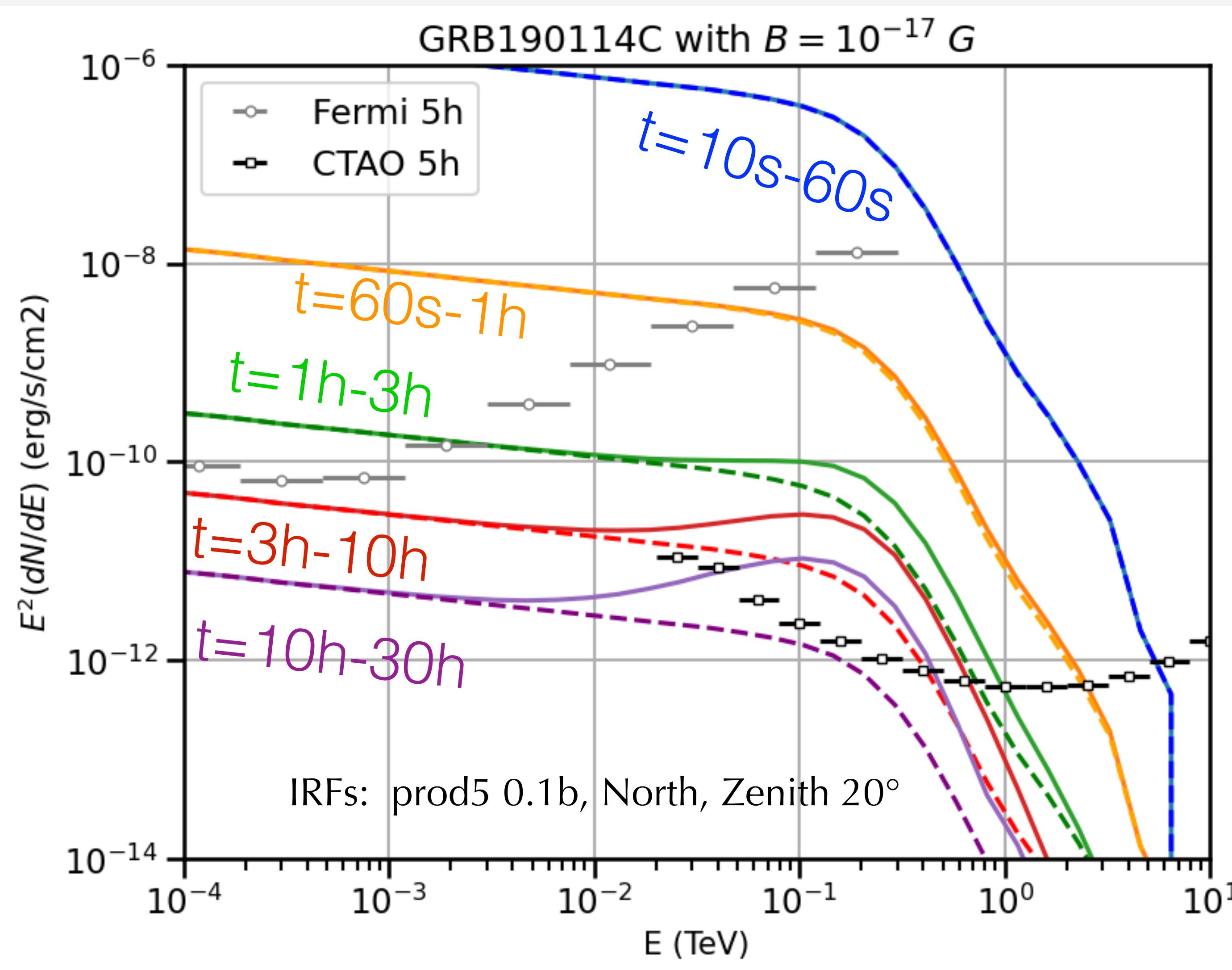


$\bullet \rightarrow \Delta t \sim 1 \text{ hour} \Rightarrow \theta \sim 0.00002^\circ$
 $\bullet \rightarrow \theta \sim 0.1^\circ \Rightarrow \Delta t \sim 50000 \text{ years}$

IGMF effect on cascade emission



Energy spectra through time



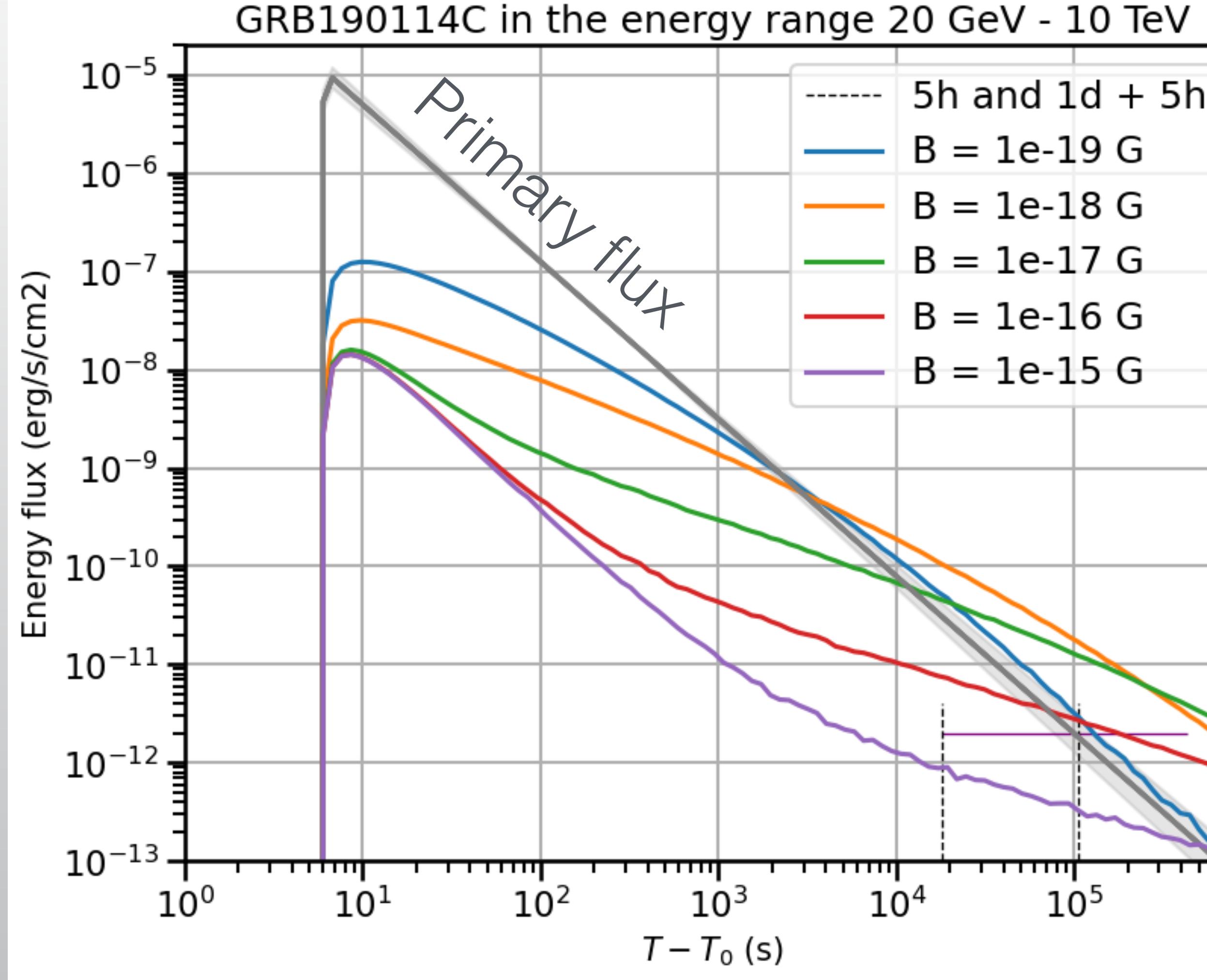
- **A case study: GRB190114C**

- Power law: spectral index ($\Gamma=2.2$), and temporal index ($\alpha=1.6$) behaviour
- Primary (dashed line) versus Total (solid line)
- Same plot for various B

- **Results:**

- Secondary emission dominates at late times (~days)
- Fermi-LAT constraints for B in $[10^{-20} - 10^{-18}]$ G
- CTAO constraints for B in $[10^{-18} - 10^{-16}]$ G

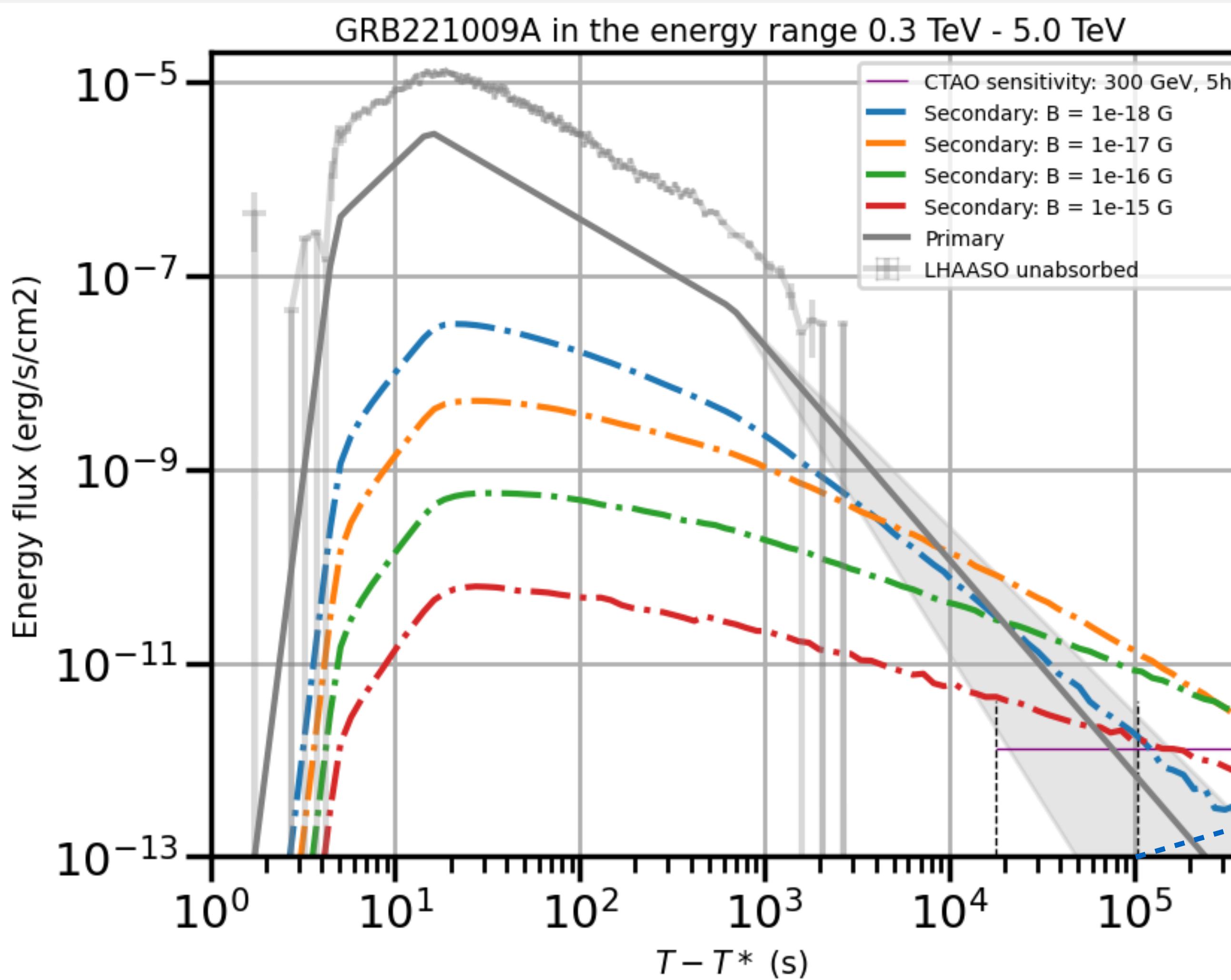
Light curve



Light curve:

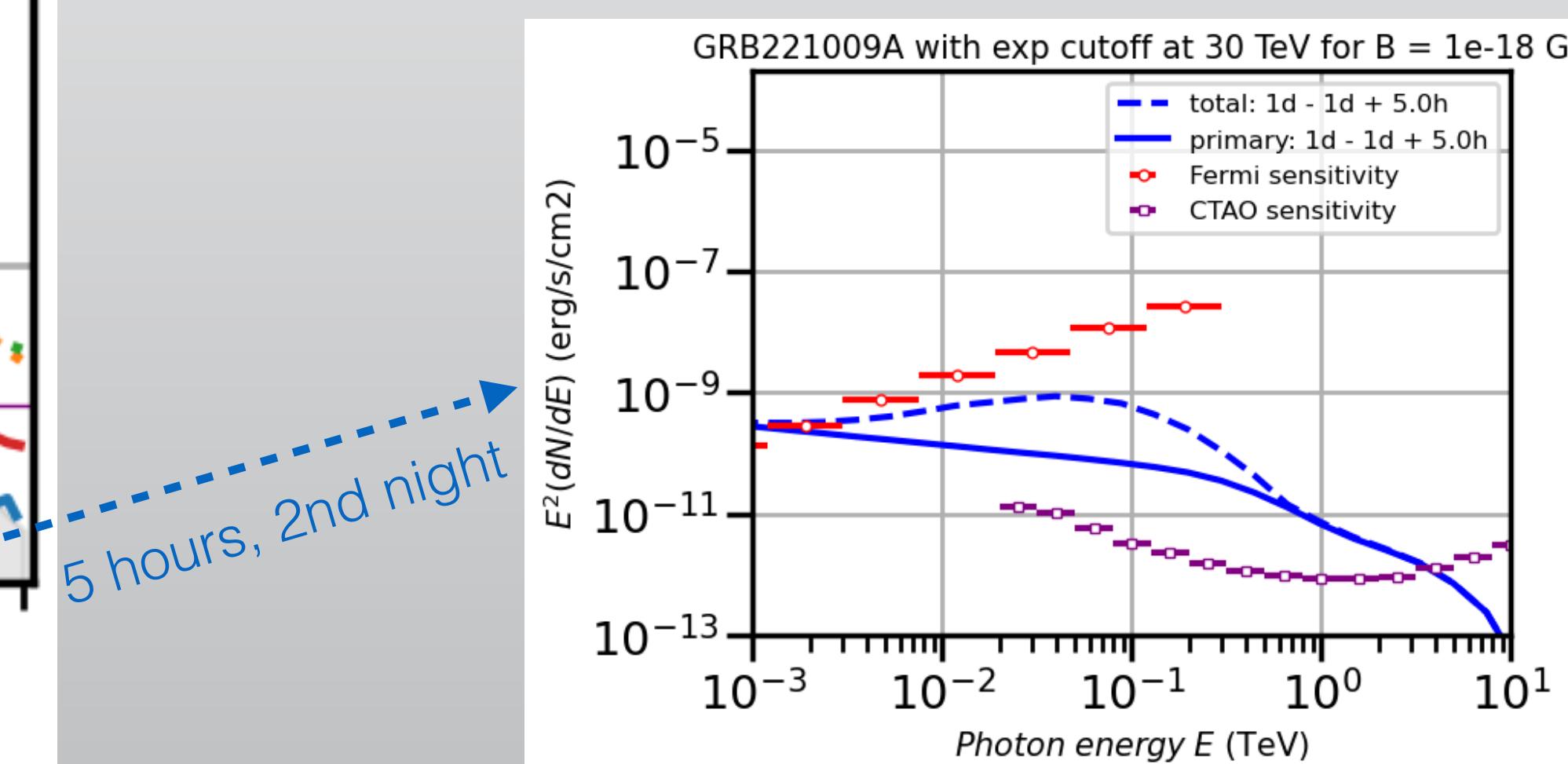
- Secondary emission dominates at late time (from hours to days)
- Possible to observe the GRB with CTAO during several days depending on B
- CTAO would have constrained B in the $[10^{-18} - 10^{-16}]$ G range with GRB190114C in ideal conditions
- Complementary with energy spectra analysis at multiple time periods

GRB221009A case



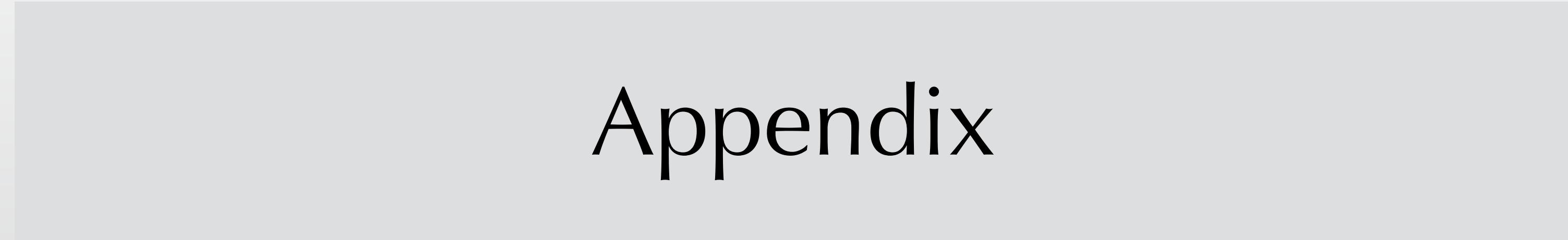
Light curve:

- The BOAT
- Larger constraints up to 10^{-15} G
- Unlikely to be seen during CTAO's activity



Conclusions

- **On a bright GRB (GRB190114C), our preliminary results show that with CTAO it will be possible to**
 - Detect GRB emissions for several days
 - Measure any B in the 10^{-18} - 10^{-16} G range
 - Put lower limits at $B=10^{-16}$ G for any larger field
- **This result will be extended:**
 - Various λ_B
 - Complex spectral shapes
 - Time dependent spectral fitting



Appendix

References for slide 2 (left to right, up to down)

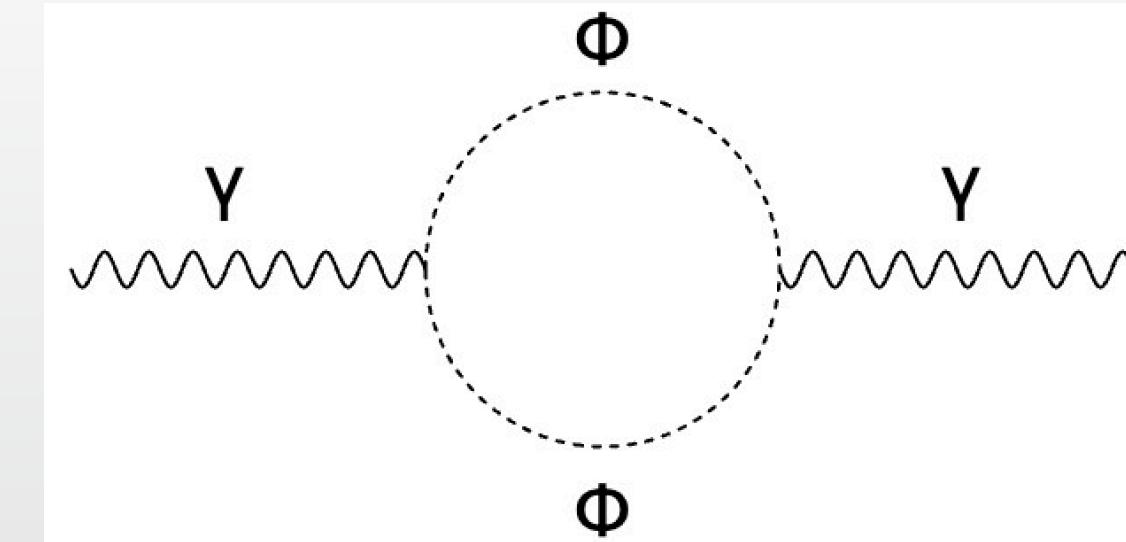
- Earth magnetosphere, **Murugesu**, **New Scientist**, April 12, 2022.
- Sun magnetosphere, **Schriver and Title**, 2011.
- M51 (Hubble telescope) intensity contours, **Effelsberg and VLA**,
MPIfR Bonn
- Left: El Gordo cluster (Chandra X-ray observatory & Ground-based telescopes), Right: Fishhook galaxy and Milky-Way galaxy, **NASA/ESA/CSA**
- An image from the millenium simulation, **Springel+2005**
- Dark matter distribution, **Markus Haider/Illustris collaboration**

Two main methods

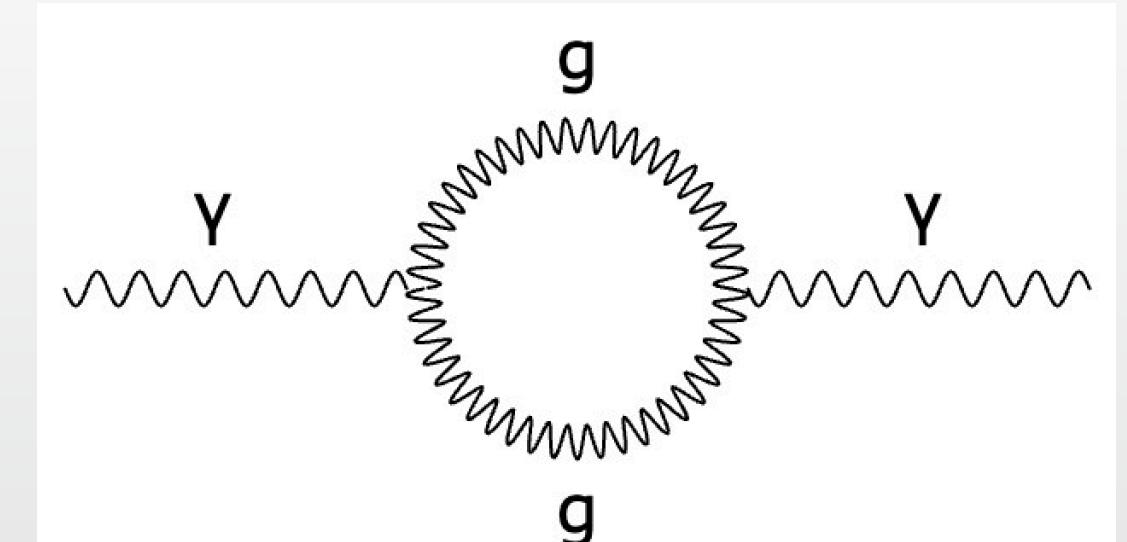
- **Inflationary coupling**

$$\mathcal{L} \Rightarrow A_\mu \Rightarrow P_B \Rightarrow \rho_B \Rightarrow (B, \lambda_B)$$

- Simple inflation coupling
- Helical inflation coupling
- Curvature coupling



Inflationary interacting photons

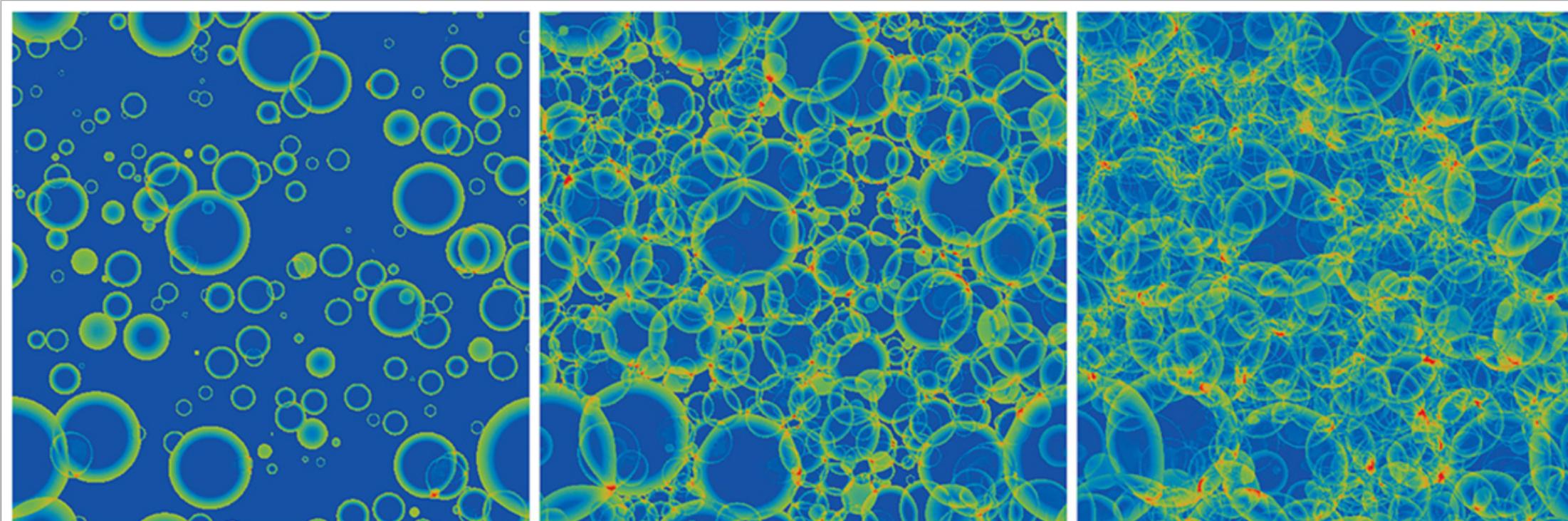


Gravitationally interacting photons

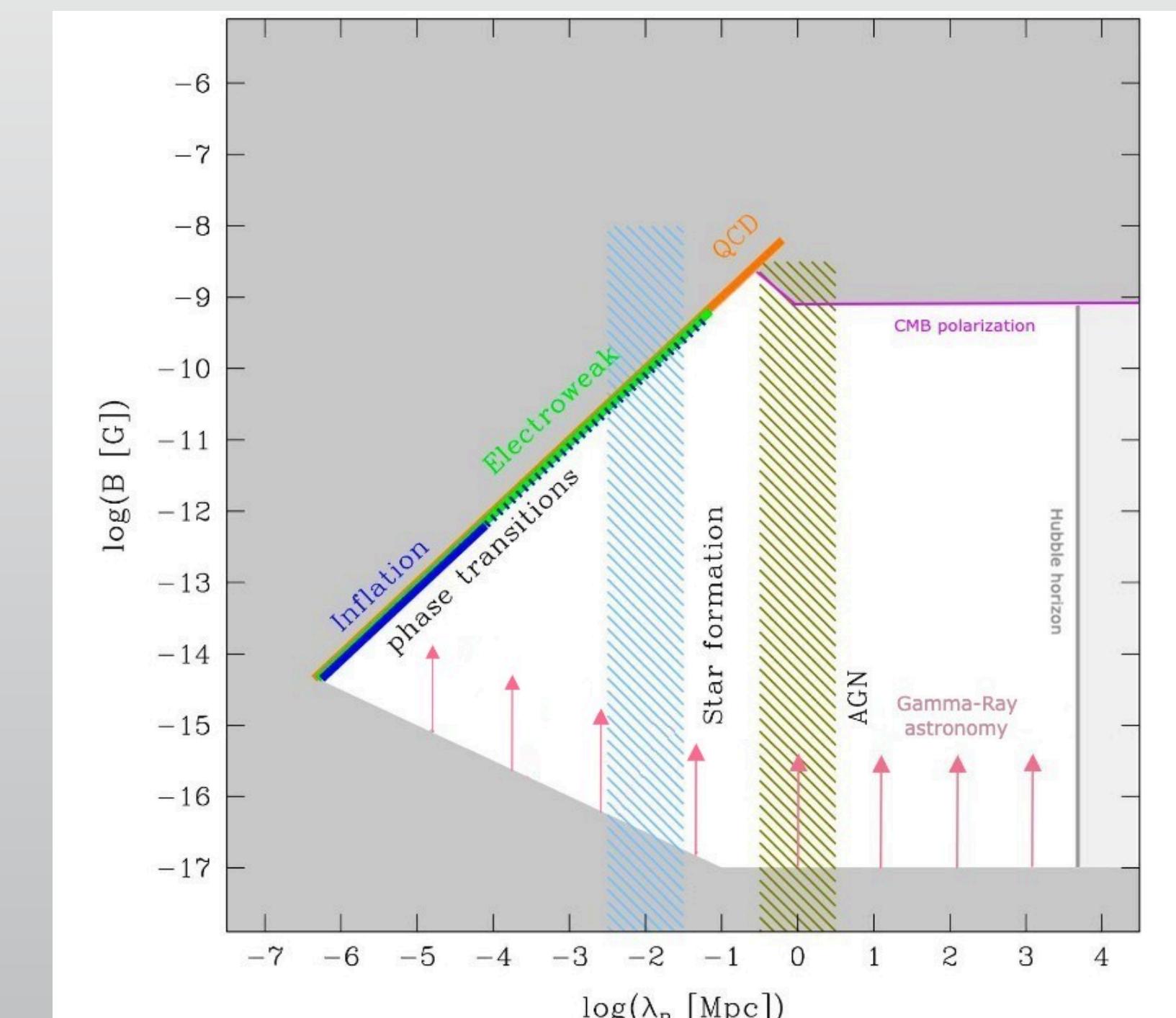
- **1st order phase transitions**

Leptogenesis sector

- Electroweak phase transition
- Quantum chromodynamics phase transition



Bubble nucleation



Complete map of constraints for the IGMF

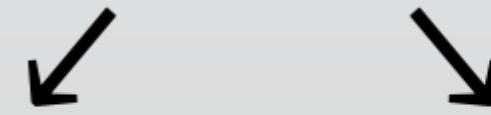
Inflationary magnetogenesis

Recipe

$$\partial_\nu \left(\frac{\partial \mathcal{L}}{\partial (\partial_\mu A_\nu)} \right) = \frac{\partial \mathcal{L}}{\partial A^\mu}$$

Equations of motion (A^μ) = 0

$$\hookrightarrow P_B = 4\pi \frac{k^2}{f^2} |\tilde{\mathcal{A}}(k, t)|^2$$



$$\rho_B = \frac{1}{2\pi^2 a^4} \int \frac{dk}{k} k^3 P_B(k)$$



$$B = \sqrt{2\rho_B}$$

P_B : Magnetic power spectrum

ρ_B : Magnetic energy density

A^μ : 4-potential

a: scale factor

Lagrangian

$$\mathcal{L} = \sqrt{-g} \left[\frac{R}{2\kappa^2} + \mathcal{L}_\phi + \frac{1}{4} f(\phi) F_{\mu\nu} F^{\mu\nu} \right]$$

Simple coupling

$$\mathcal{L} = \sqrt{-g} \left[\frac{R}{2\kappa^2} + \mathcal{L}_\phi + \frac{1}{4} f(\phi) F_{\mu\nu} \widetilde{F}^{\mu\nu} \right]$$

Helical coupling

$$\mathcal{L} = \sqrt{-g} \left[\frac{R}{2\kappa^2} + \mathcal{L}_\phi + \frac{1}{4} F_{\mu\nu} F^{\mu\nu} + \frac{\alpha}{4m^2} R^{\mu\nu\alpha\beta} F_{\mu\nu} \widetilde{F}_{\alpha\beta} \right]$$

Curvature coupling

Phase transitions

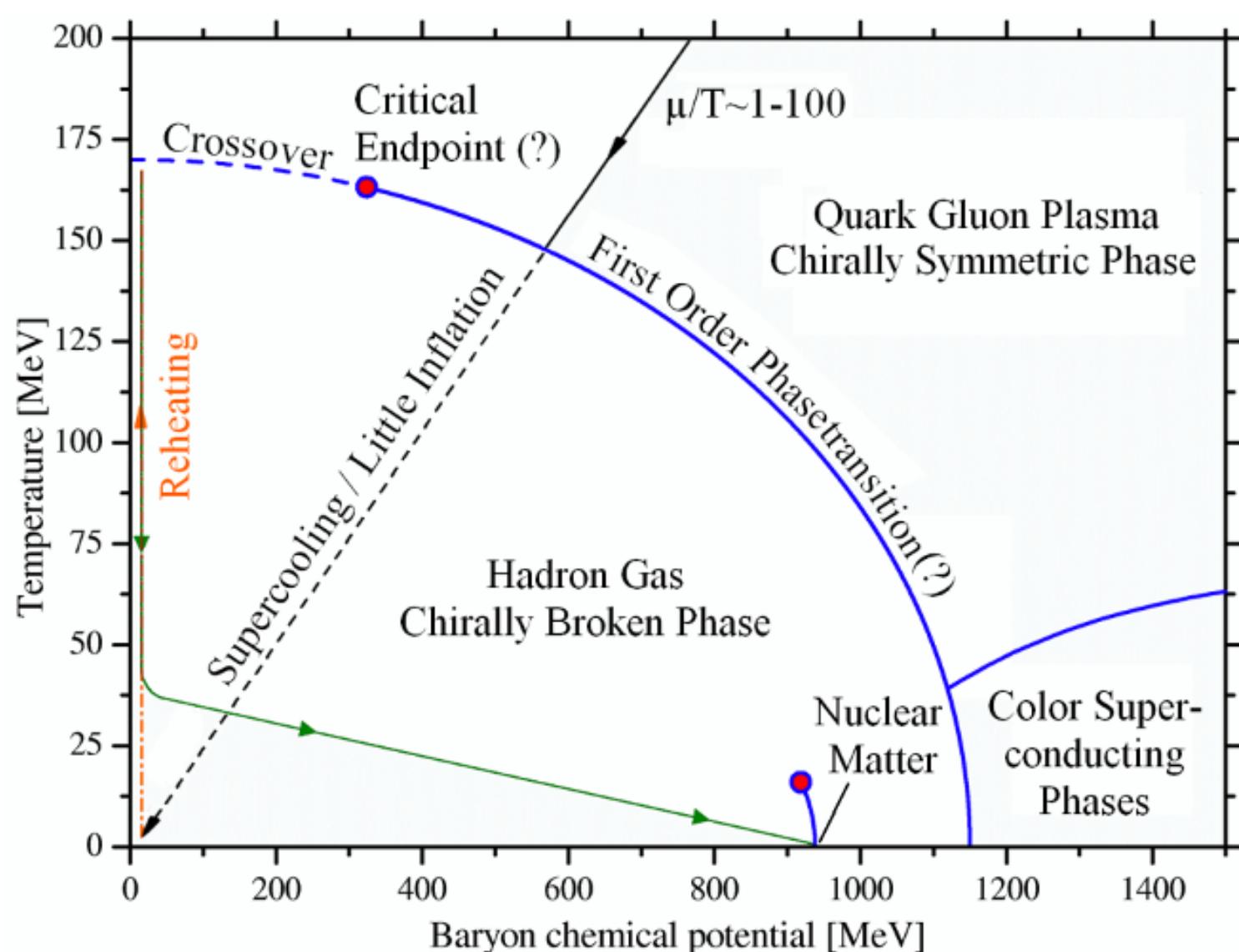
Electroweak scenarios:

Lepton asymmetry

$$\text{Axial current} \rightarrow \partial_\mu j_R^\mu = -\frac{g'^2 Y_R^2}{64\pi^2} F^{\mu\nu} F_{\mu\nu} \rightarrow \Delta N_R = \frac{1}{2} Y_R^2 \Delta N_{CS} \rightarrow N_{CS} = -\frac{g'^2}{32\pi^2} \int d^3 x \epsilon_{ijk} F_{ij} A_k$$

$$\text{Top quark current} \rightarrow \nabla^2 A^0 = -e \rho_{EM}(x) \rightarrow B_{Bubble} \sim \frac{M_{Bubble}}{R_{Bubble}^3}$$

Chromodynamics scenarios:



QCD phase diagram

$\Delta(B - L) = 0, \quad \Delta B \sim 10^{-10}$ BUT $\frac{\Delta L}{\Delta B} \leq 2 \cdot 10^{-8} \rightarrow$ Weakly constraint lepton asymmetry
 ↪ Large baryon asymmetry → Little inflation → Observationally consistent endpoint

Cosmic evolution

1. Initial conditions

$$P_B(k, t_*) = P_{*B} k^{n_s} \quad P_K(k, t_*) = P_{*K} k^{n_k}$$

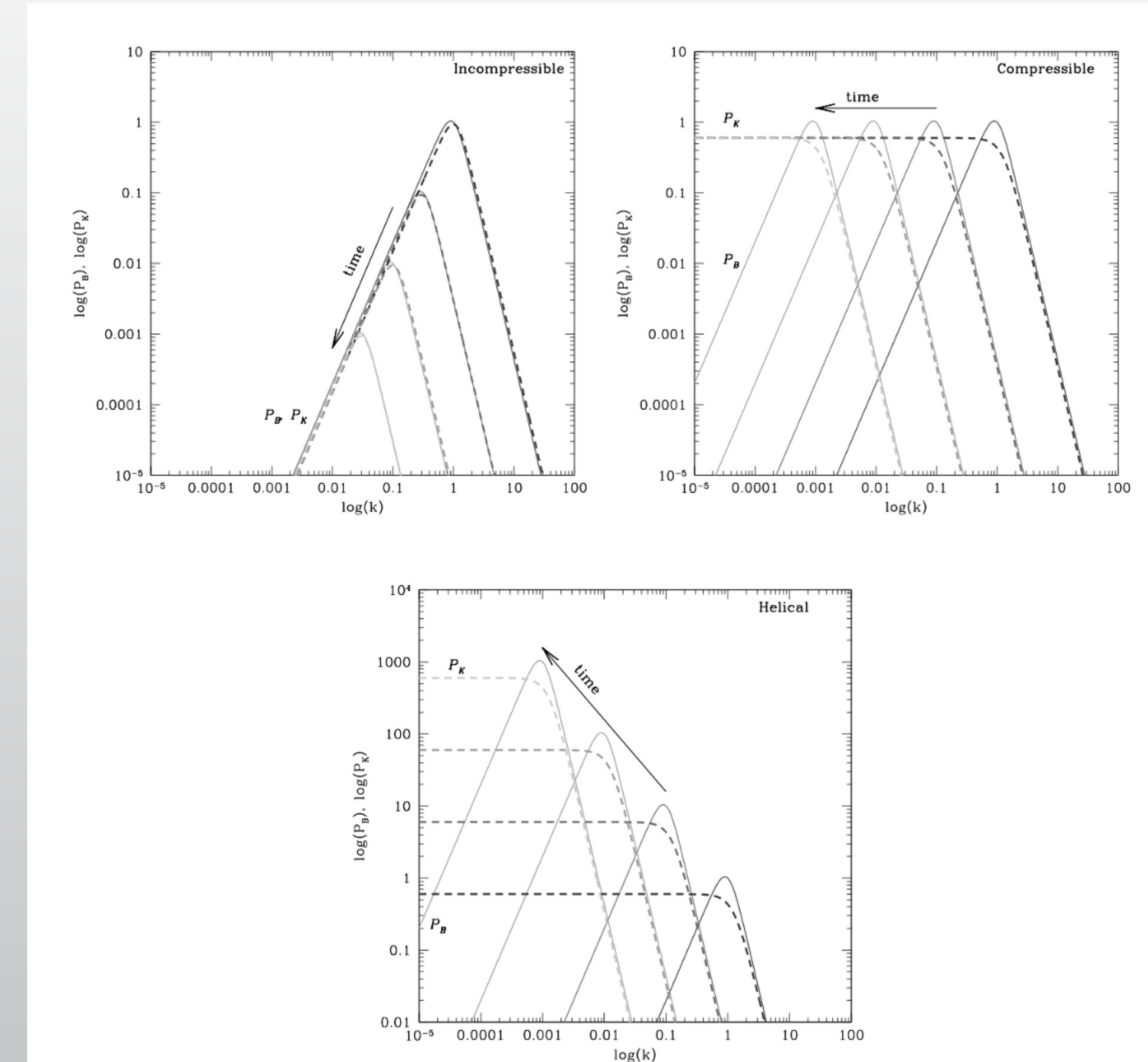
2. MHD turbulence

$$\frac{\partial \tilde{\rho}}{\partial t} + \nabla((\tilde{p} + \tilde{\rho})\vec{v}) = 0$$

$$\frac{\partial \vec{v}}{\partial t} + (\vec{v} \cdot \nabla) \vec{v} + \frac{\vec{v}}{\tilde{\rho} + \tilde{p}} \frac{\partial \tilde{p}}{\partial t} + \frac{\nabla \tilde{p}}{\tilde{\rho} + \tilde{p}} + \frac{\vec{B} \times (\nabla \times \vec{B})}{\tilde{\rho} + \tilde{p}} = \tilde{v} \left(\Delta \vec{v} + \frac{1}{3} \nabla(\nabla \cdot \vec{v}) \right)$$

$$\frac{\partial \vec{B}}{\partial t} - \nabla \times (\vec{v} \times \vec{B}) = \frac{1}{\tilde{\sigma}} \Delta \vec{B}$$

3. Cosmological decoupling regimes

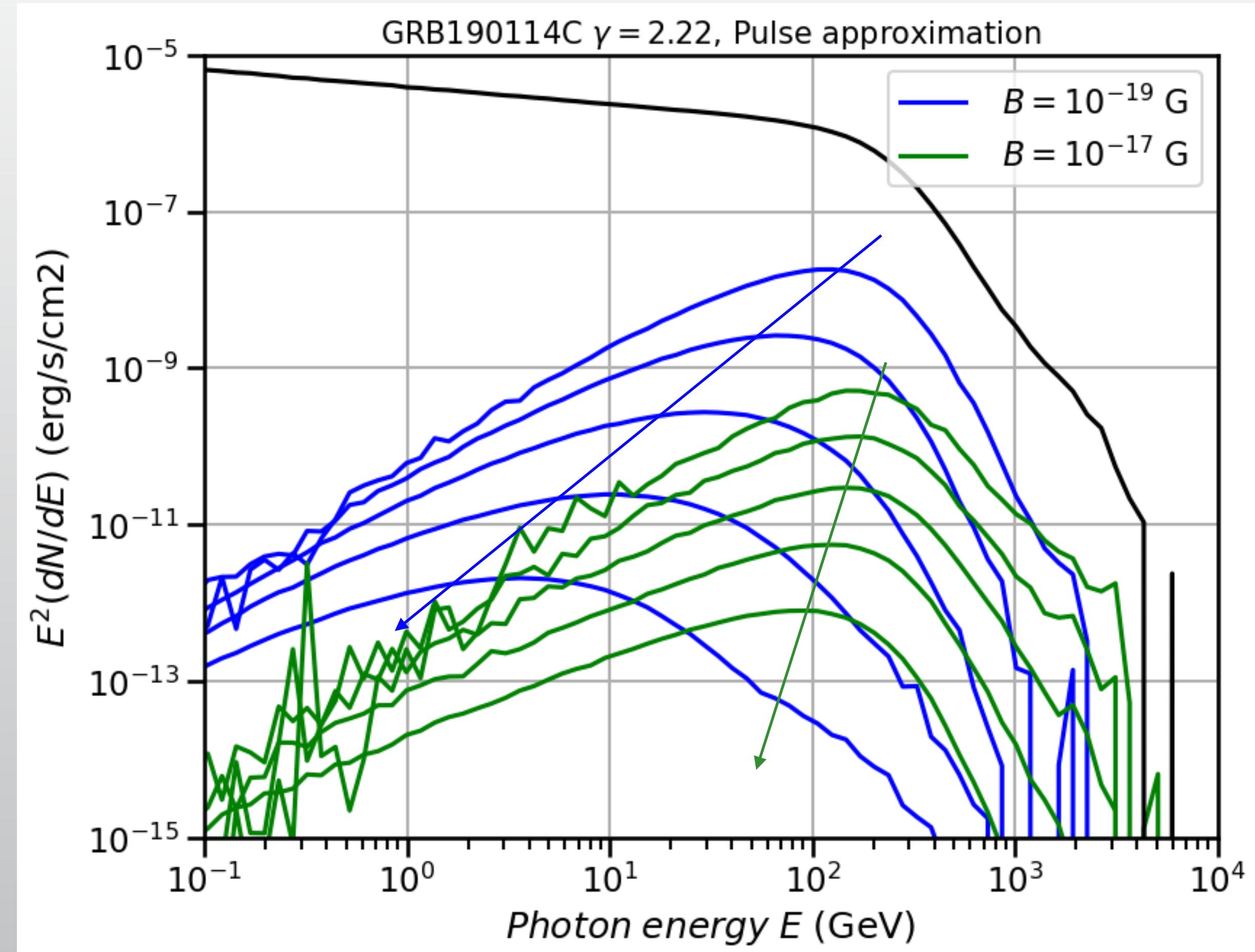
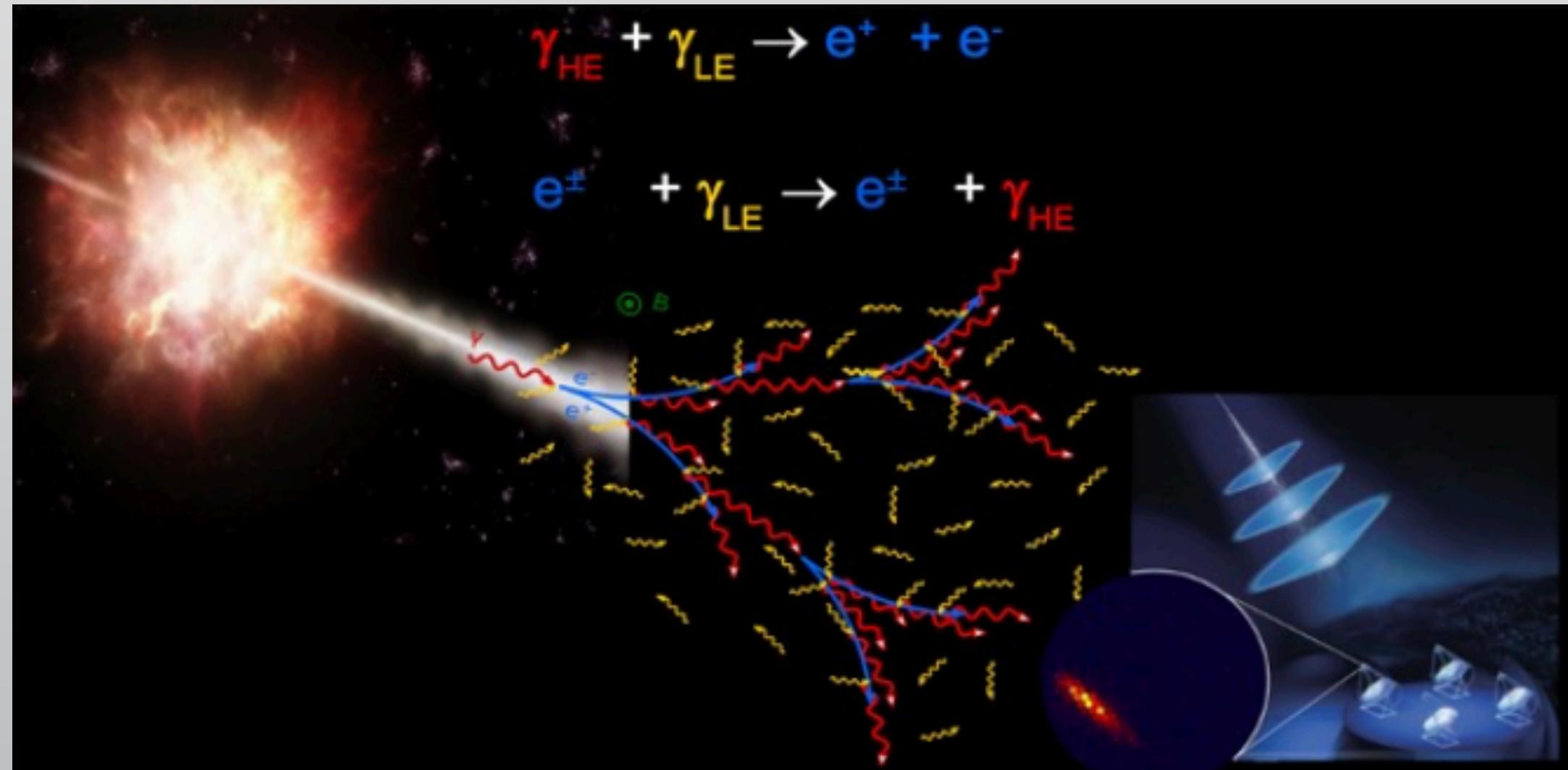


Magnetic power spectrum behaviours

Time delays with GRBs: current status

- Most studies assume an **instantaneous** primary emission:
 - Good approximation for late time
 - Not so much at early times
- Peak energy of the secondary emission:

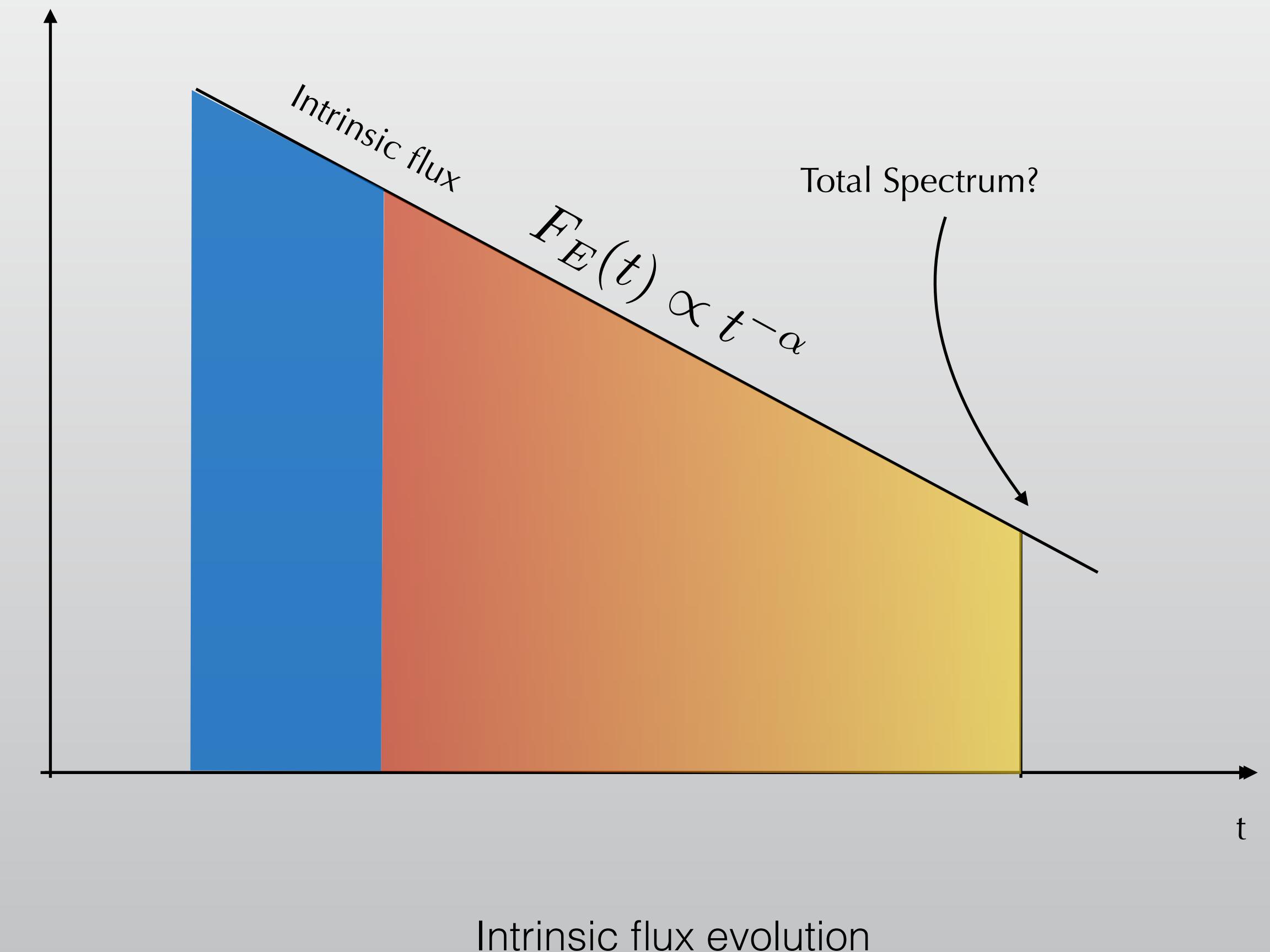
$$E_{ic} \approx 60 \left(\frac{\lambda_{\gamma\gamma}}{100 \text{Mpc}} \right)^{1/2} \left(\frac{\Delta t}{1 \text{hour}} \right)^{-1/2} \left(\frac{B}{10^{-19} \text{G}} \right) \text{GeV}$$



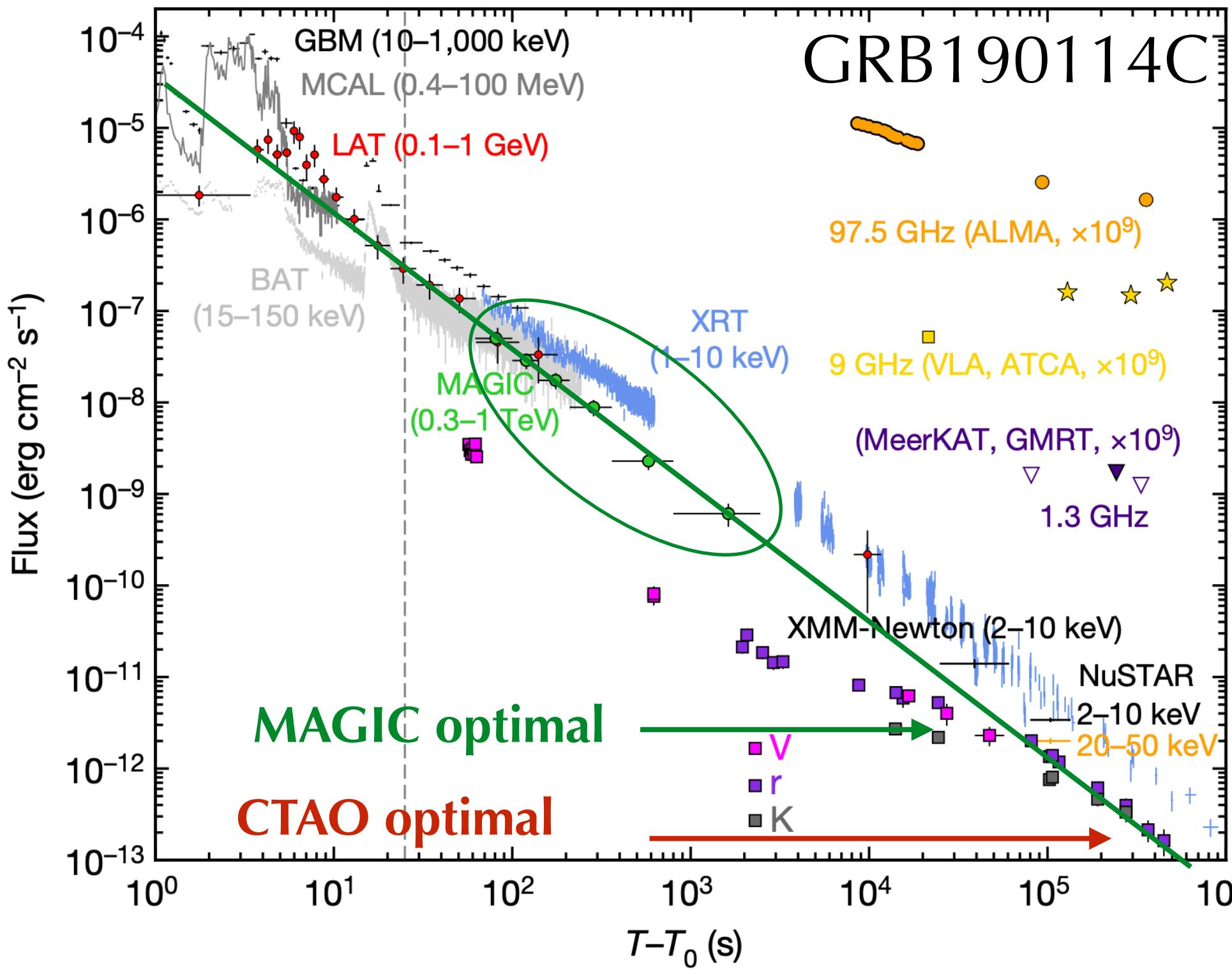
Cascade numerical simulation

- Full 3D Monte Carlo simulations of the cascade with non-instantaneous intrinsic flux
- One approximation: cubes of uniform magnetic field (here 1 Mpc) and random orientations —> reproduces magnetic turbulence
- Monte Carlo simulation for the pair creation and inverse Compton scattering
- Particles characteristics ($E_0, E, \Delta t, \theta, z, B, \lambda_B$) stored when reaching the Earth
- Post-treatment: source intrinsic properties recovered by reweighing the detected events:

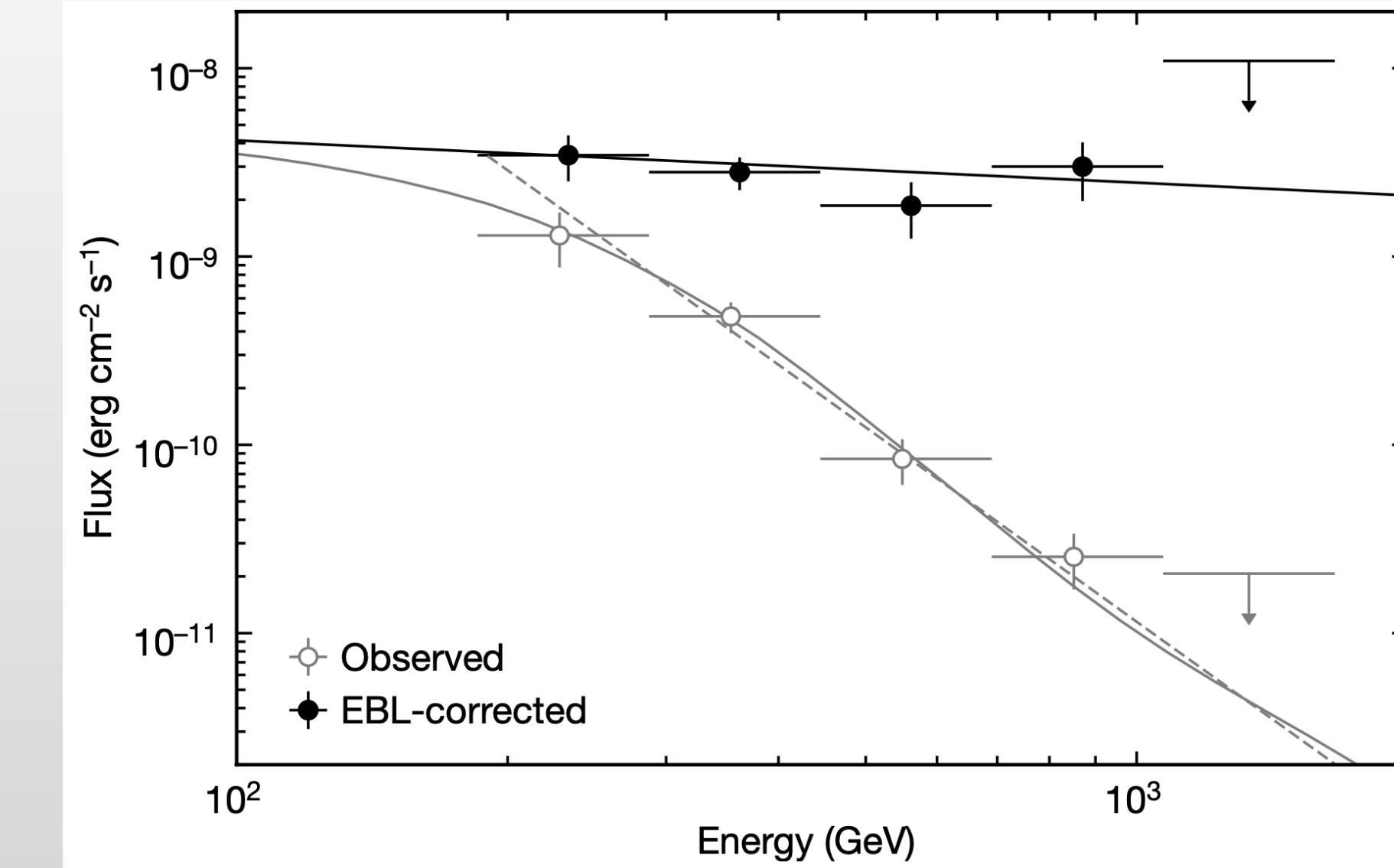
$$N_{E_0}(t) \propto t^{-\alpha} E_0^{-\Gamma}$$



GRBs in the VHE band



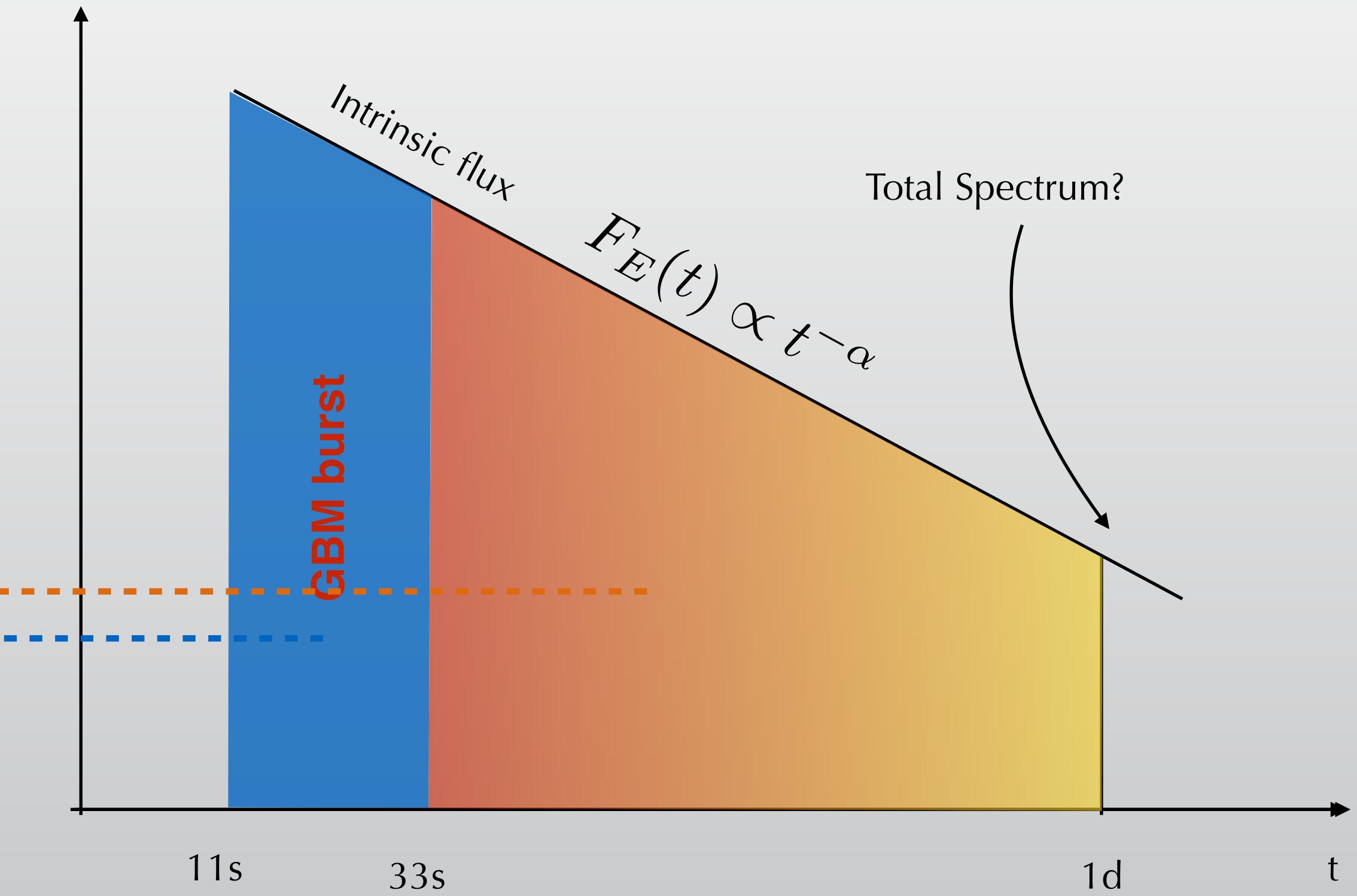
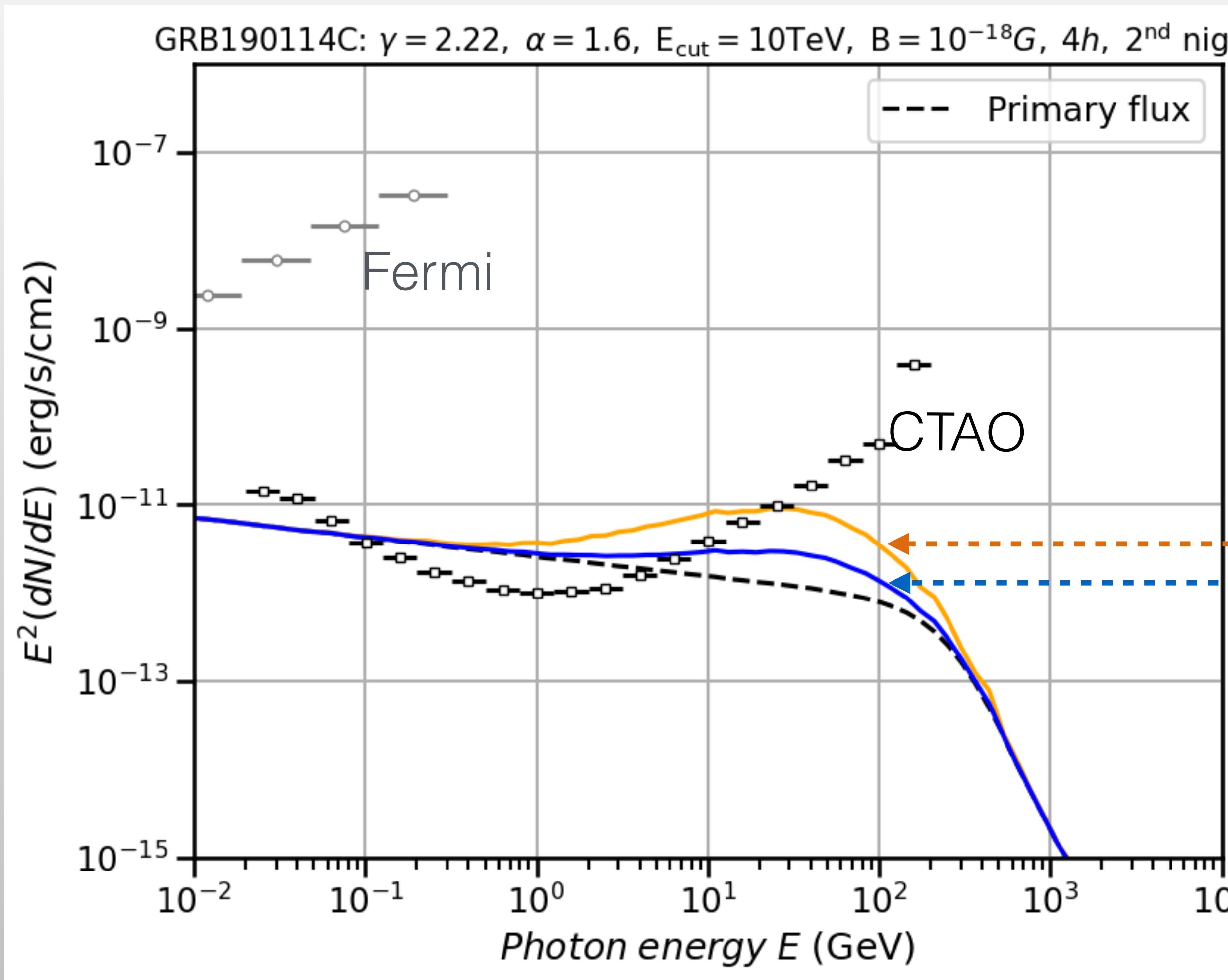
- Observed up to a couple of days
- Consistent with power-laws:
$$N_E(t) \propto t^{-\alpha} E^{-\Gamma}$$
- Unknown cutoff energy: E_{cut}



MAGIC coll. 2020a,b

	IACT	z	t_{max}	$\Gamma_{(\text{EBL corr})}$	a	Highest E
GRB130427C	(LAT)	0.34	20h	1.66	1.17	—
GRB160921B	MAGIC	0.16				0.5 TeV
GRB180720B	HESS	0.65	12h	1.6	?	0.4 TeV
GRB190114C	MAGIC	0.42	40min	2.22	1.6	1 TeV
GRB190829A	HESS	0.08	56h	2.07	1.09	4 TeV
GRB201216C	MAGIC	1.1	2h			—
GRB221009A	Lhaaso	0.15	1h	2.3	1.1/2.2	7 TeV

Pulse versus Power law



Fresh secondaries:

- stronger emission + plateau => Stronger constraints
- e.g. GRB221009A, Pulse: $B > 10^{-19}$ G, PL: $B > 10^{-17}$ G

IGMF effect at fixed time

