



WIMPs @ CTA

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University

special thanks to:

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Sergio Cadena Hernández (Mexico City)

image: <https://www.cta-observatory.org/the-dark-side-of-the-matter/>

outline

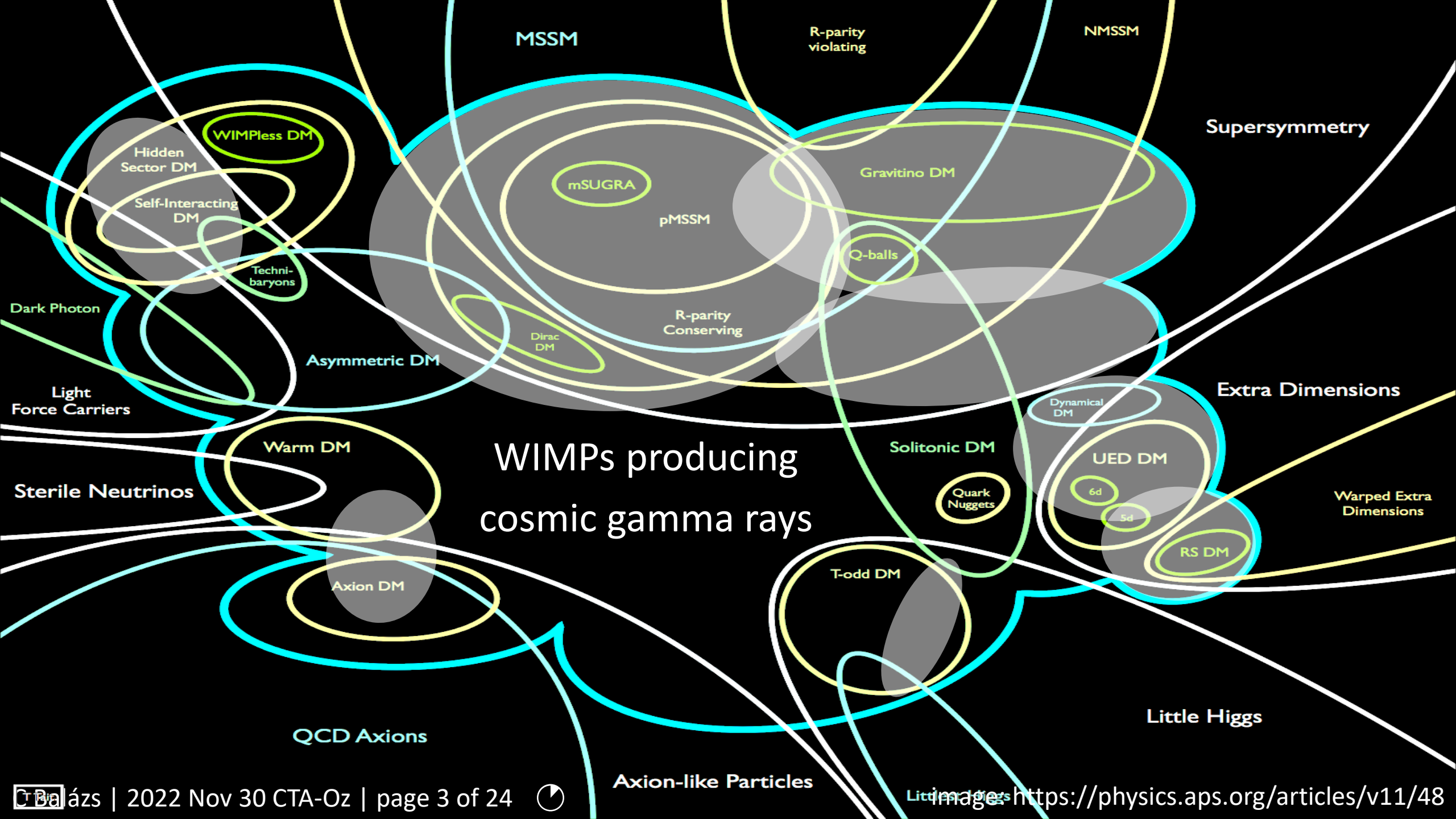
WIMPs as gamma ray sources

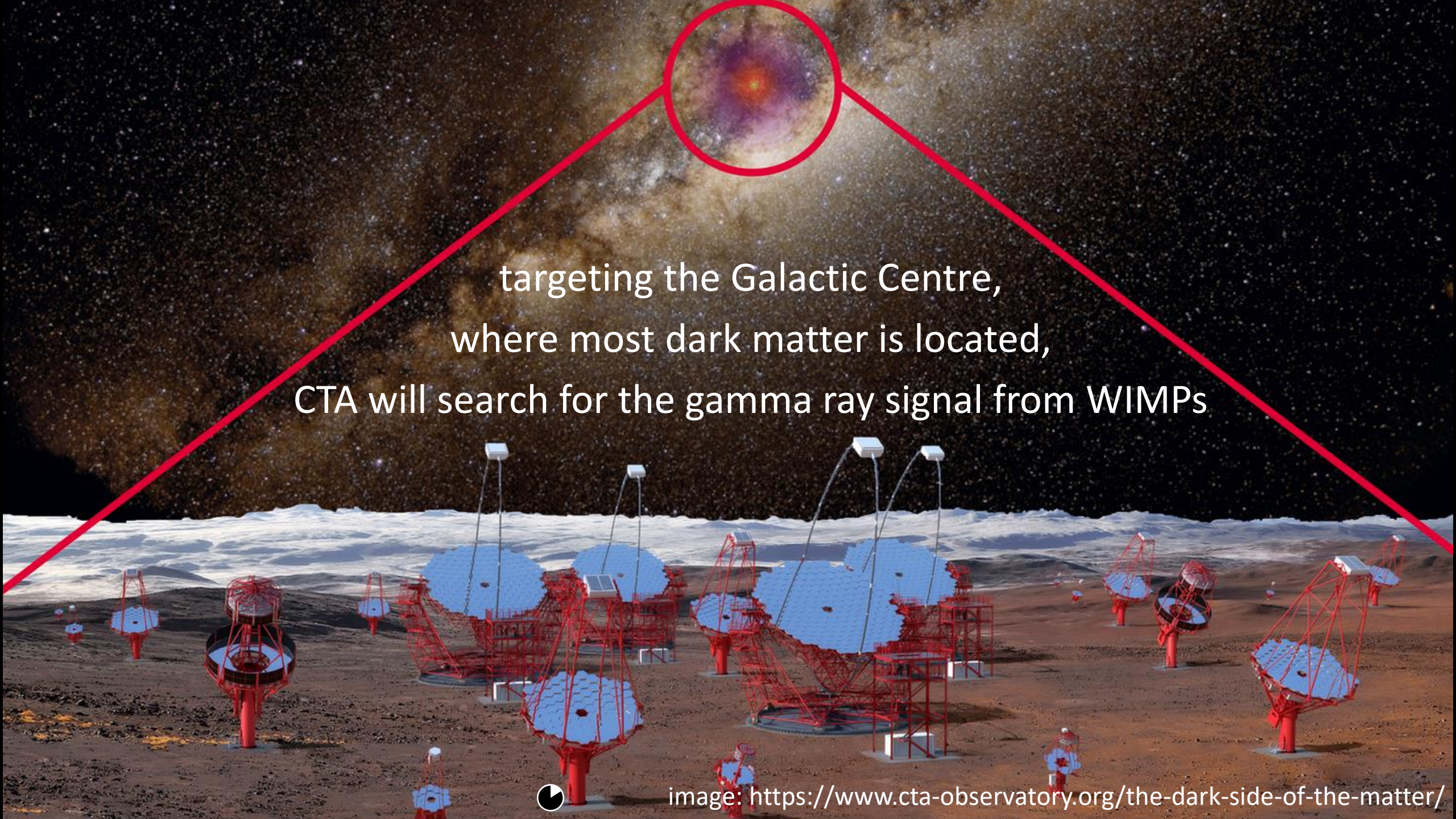
Bayesian inference

backbone of our toolchain

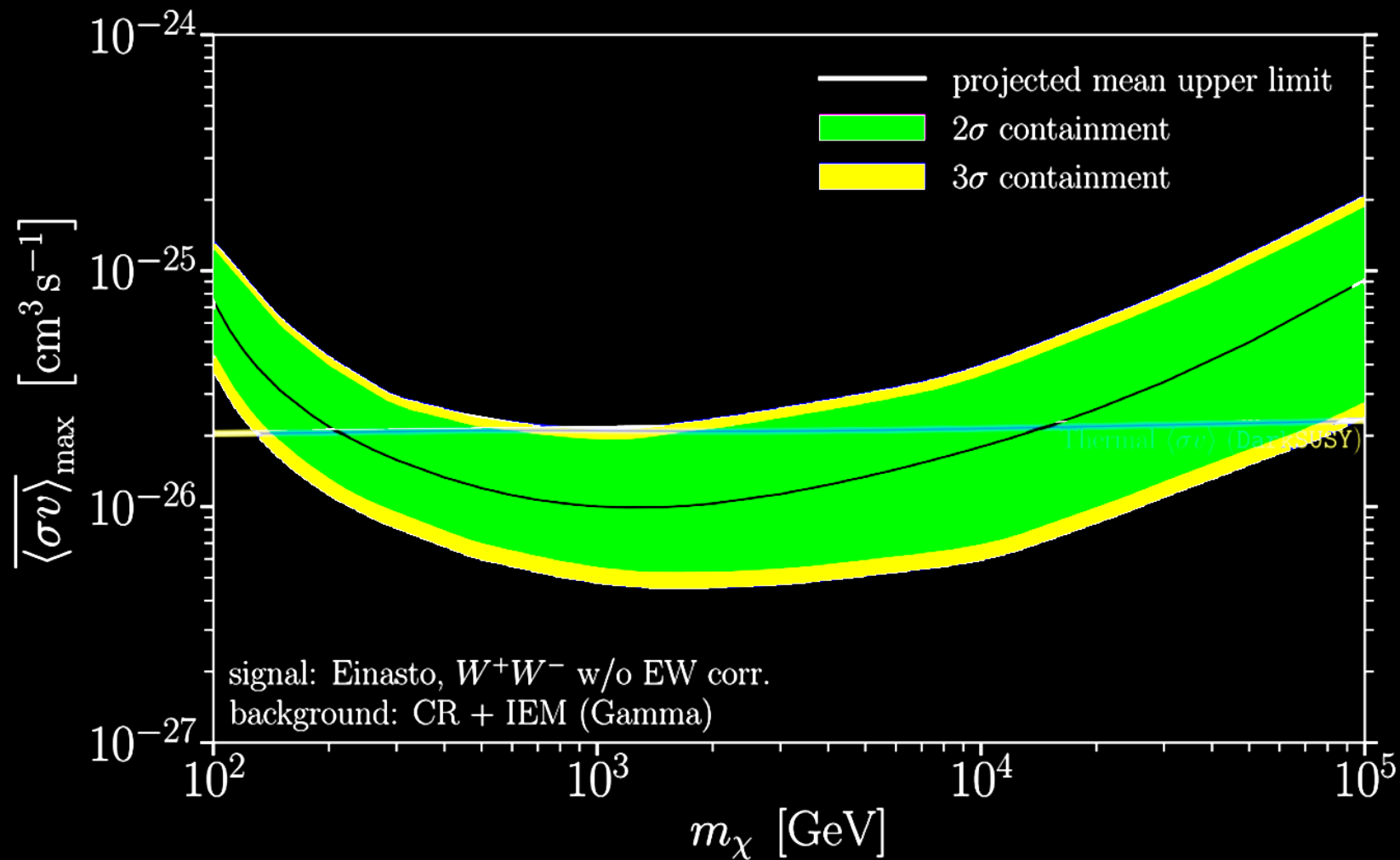
prelim results

I wish to acknowledge the people of the Kulin Nations, on whose land we are gathered today. I pay my respects to their Elders, past and present.

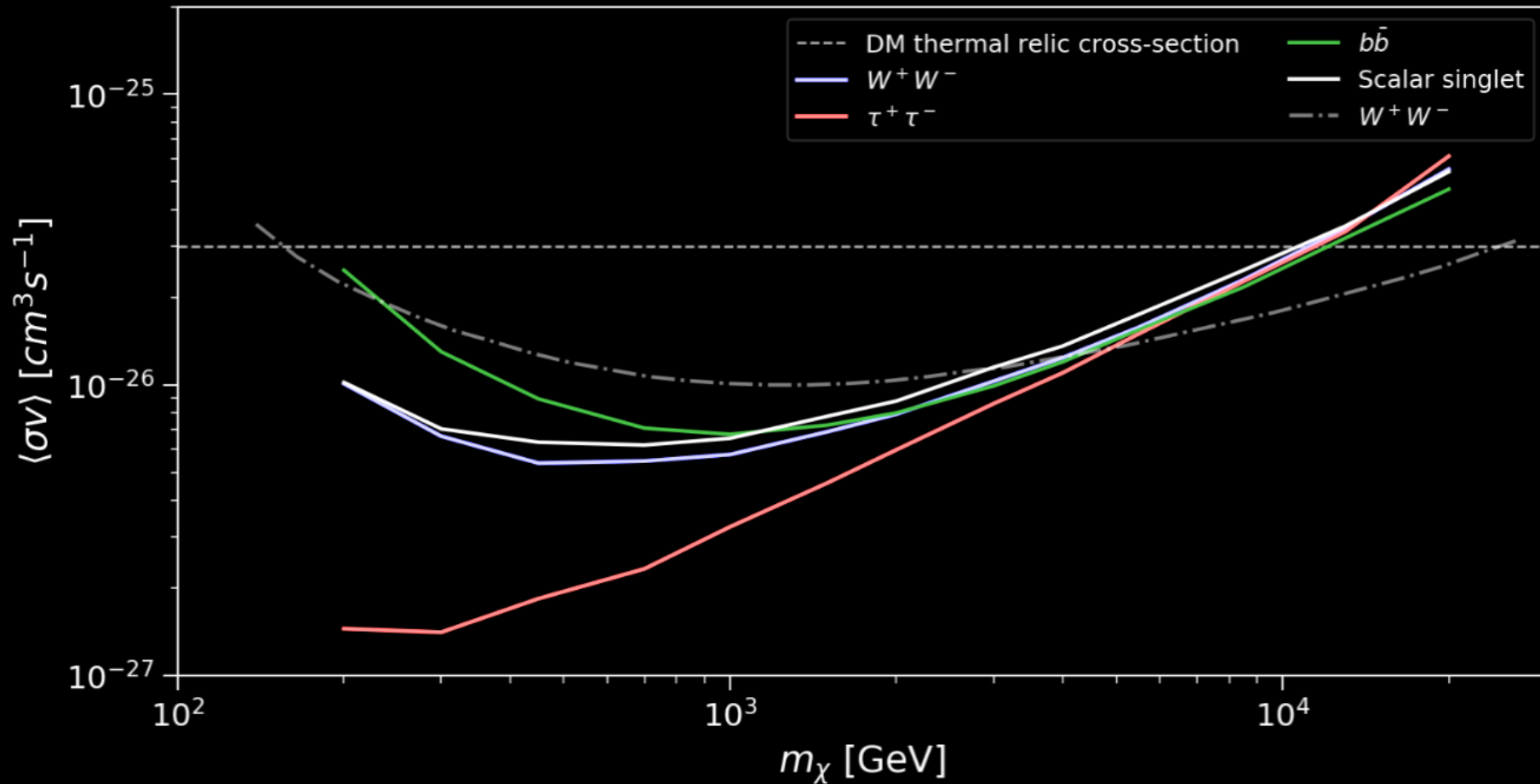




targeting the Galactic Centre,
where most dark matter is located,
CTA will search for the gamma ray signal from WIMPs



the DM WG published sensitivity of CTA for a generic WIMP
 our goal is to generalize these limits for specific DM models



our Monash group updated these sensitivity limits using sophisticated Bayesian inference and published them, but...

interestingly, there's always a but

we believe our approach is more sophisticated, more transparent, more flexible, easier extendable and better suited to CTA than the old one, but...

- our first paper is just the proof of concept of a full analysis
- it uses ctools (vs. Gammapi)
- it uses prod3 config (vs. prod5)
- it's based on a private code (vs. public)
- we need to work on 'popularising' it within (and outside of) CTA

Bayesian inference

$$\mathcal{L}(d^i | \mathcal{S}) = \int d\hat{\Omega}^i \int dE^i \mathcal{L}(d_i | \Omega^i E^i) \pi(\Omega^i, E^i | \mathcal{S})$$

$$\mathcal{L}(d_i | \mathcal{B}) = \int d\hat{\Omega}_i \int dE_i \mathcal{L}(d_i | \Omega^i E^i) \pi(\Omega^i, E^i | \mathcal{B})$$

$$\mathcal{L}(\vec{d} | \lambda) = \prod_i^N \lambda \mathcal{L}(d_i | \mathcal{S}) + (1 - \lambda) \mathcal{L}(d_i | \mathcal{B}) \quad \lambda = \frac{N_{\mathcal{S}}}{N} \approx \frac{N_{\mathcal{S}}}{N_{\mathcal{B}}}$$

$$N_{\mathcal{S}} = T \int \frac{d\Phi}{d\Omega dE} (E, \psi) A(E) dE d\Omega$$

$$\frac{d\Phi}{d\Omega dE} (E, \psi) = \frac{1}{4\pi} \int_{l.o.s} dl(\psi) \rho_{\chi}^2(\mathbf{r}) \left(\frac{\langle \sigma v \rangle}{2m_{\chi}^2} \sum B_f \frac{dN}{dE} \right)$$

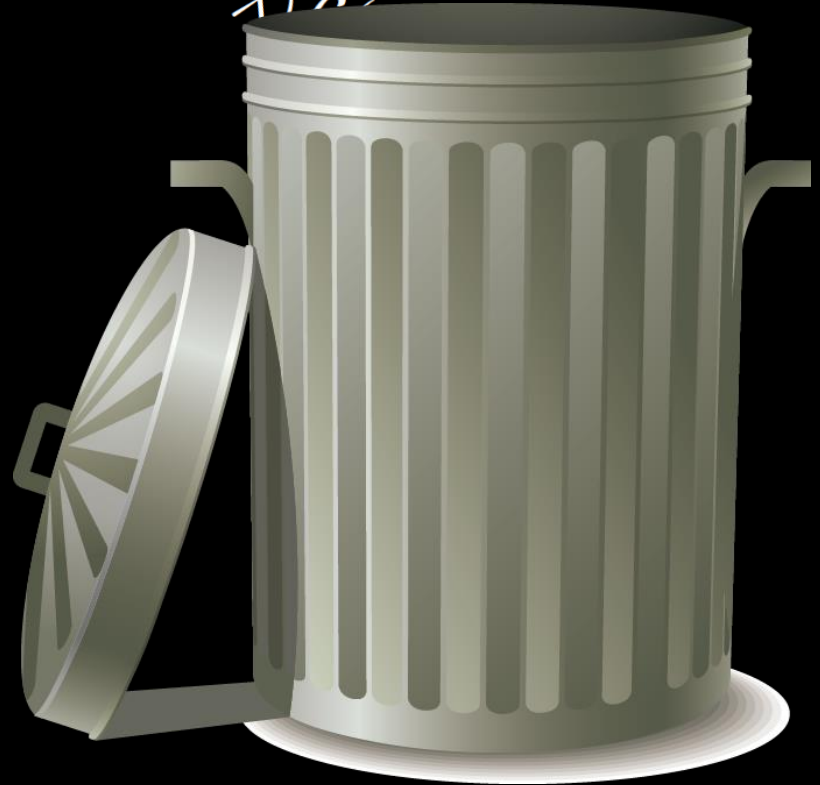
$$\mathcal{L}(\vec{d} | \lambda) = \prod_i^N \lambda \mathcal{L}(d_i | \mathcal{S}) + (1 - \lambda) \mathcal{L}(d_i | \mathcal{B})$$

$$\frac{d\Omega dE}{d\Omega dE} (E, \psi) = \frac{1}{4\pi} \int_{\text{l.o.s.}} dl(\psi) \rho_x^2(\mathbf{r}) \left(\langle \sigma v \rangle \right)$$

$$N_S = T \int \frac{d\Phi}{d\Phi} = \prod_i \lambda \mathcal{L}(d_i | \mathcal{S}) + (1 - \lambda) \mathcal{L}(\vec{d} | \lambda)$$

$$\mathcal{L}(\vec{d} | \lambda) = \prod_i \lambda \mathcal{L}(d_i | \mathcal{S}) + (1 - \lambda) \mathcal{L}(\vec{d} | \lambda)$$

$$\frac{N_S}{N_T} \approx \frac{N_S}{N_B}$$



Bayesian inference – take 2

we're trying to separate signal from background

signal: photons originating from dark matter particles

background: everything else that the detector responds to

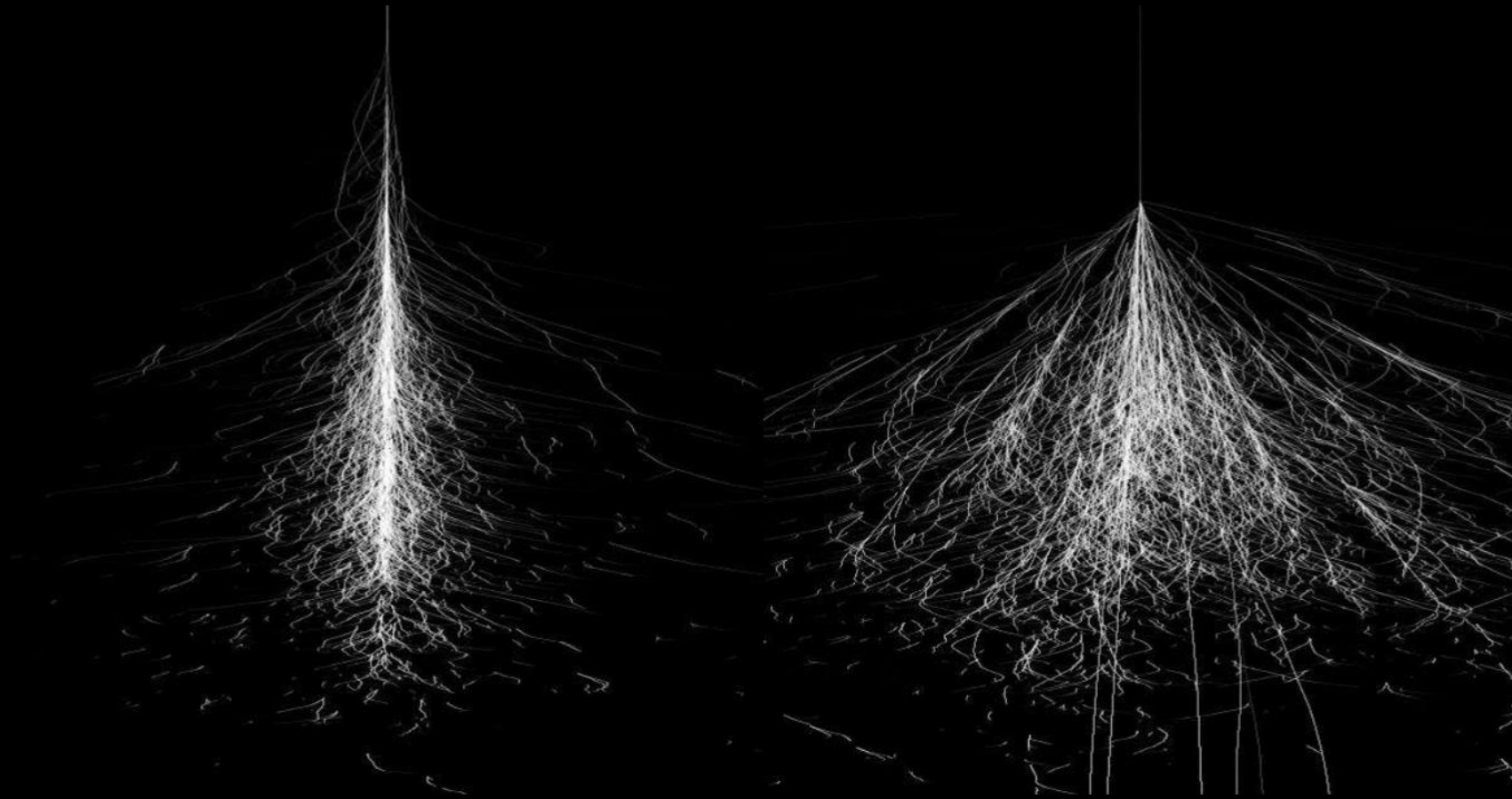
so, let's look at the 'detection process' step by step

a gamma ray creates a shower of particles



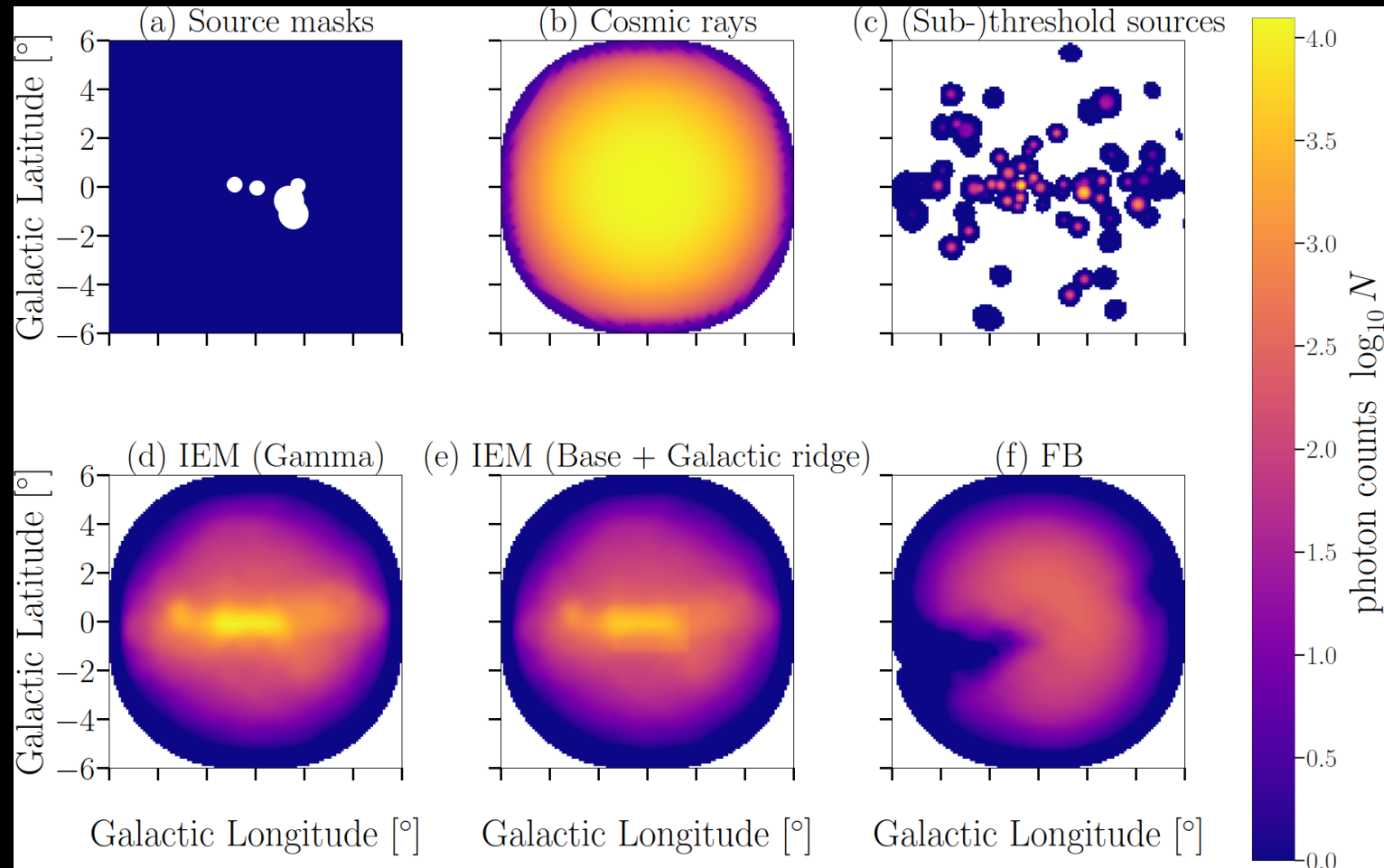
we'd like to know if its signal or background

background #1: mis-identified cosmic rays



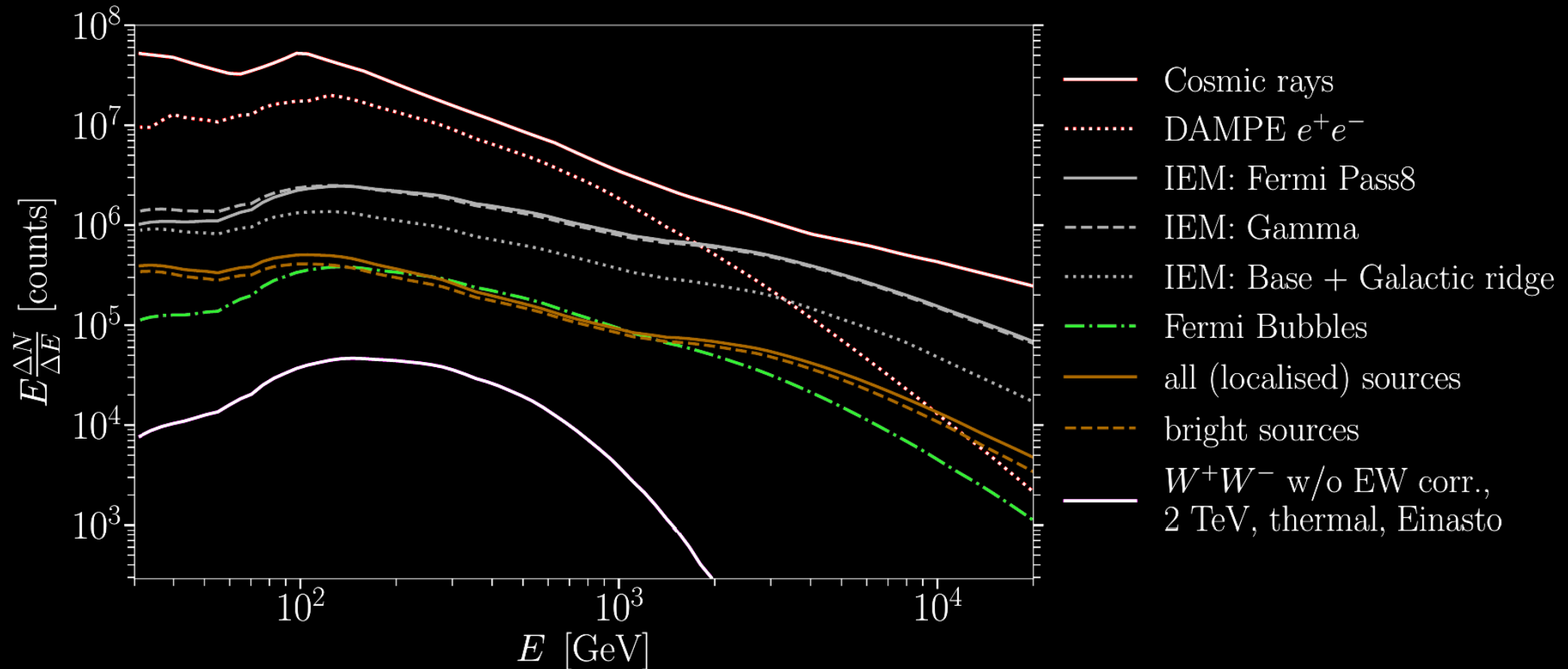
gamma showers are slightly skinnier than hadronic ones

background #2: standard astrophysics



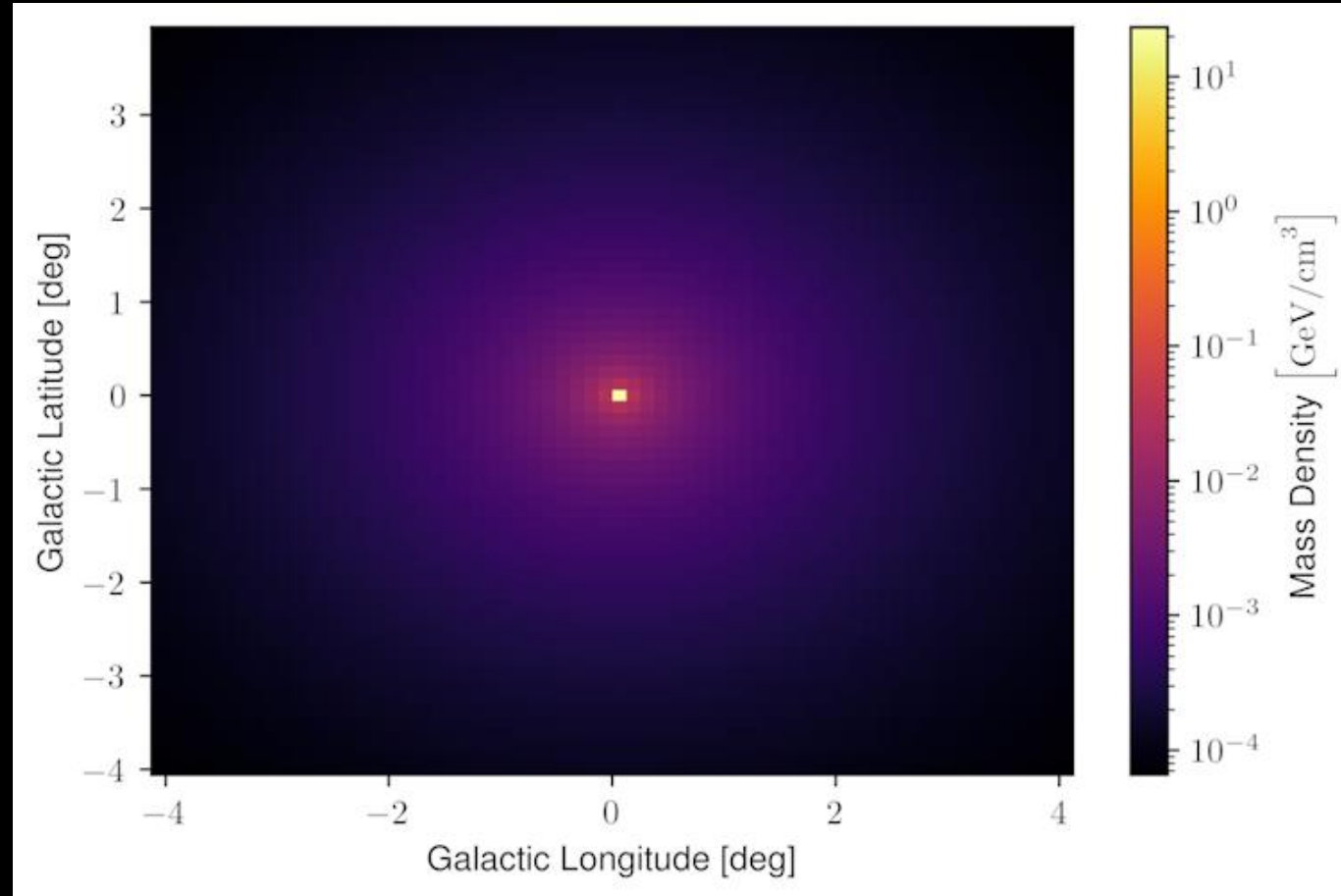
H.E.S.S. and FermiLAT informs us about standard gamma ray sources

background #2: standard astrophysics



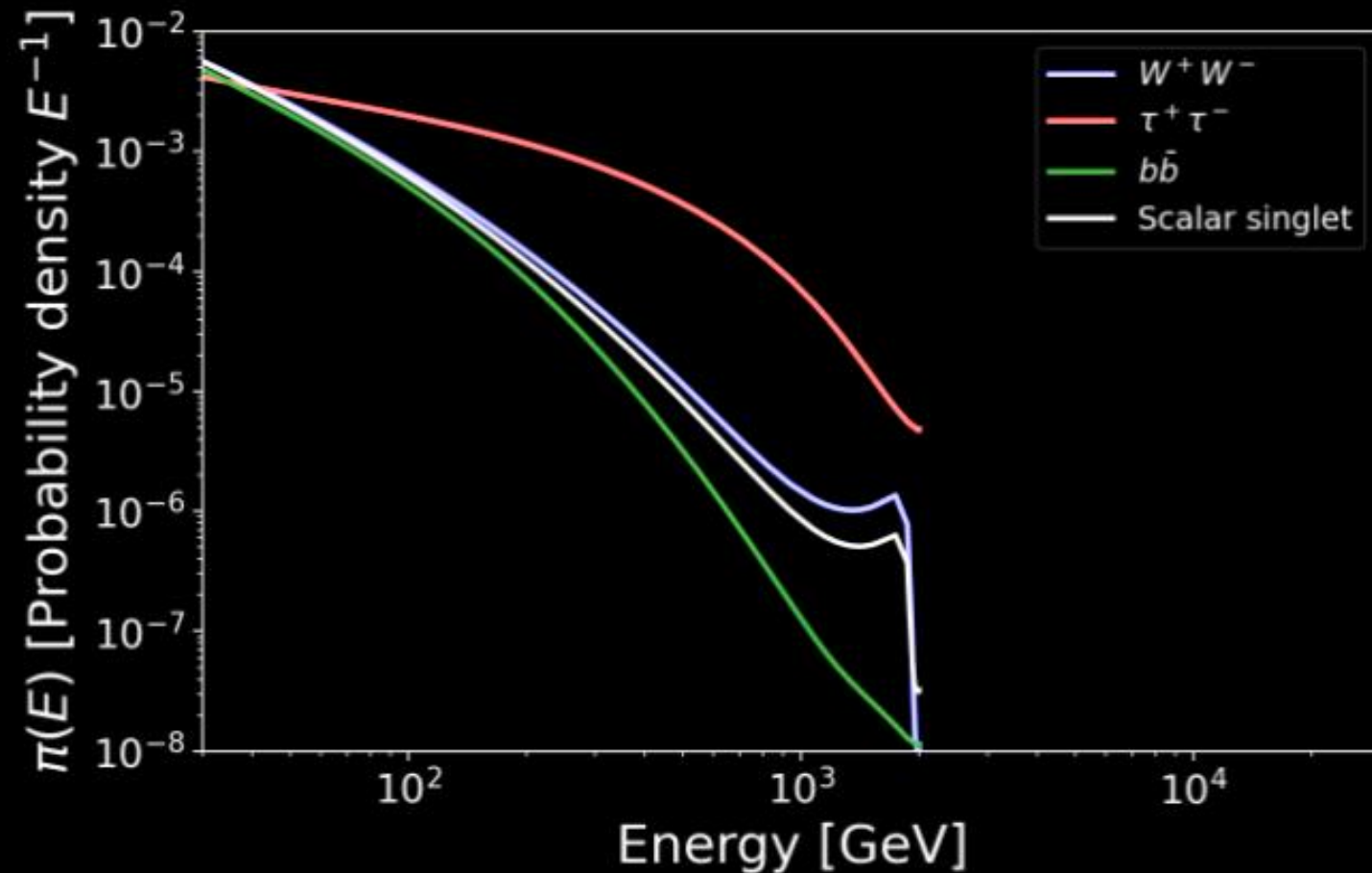
H.E.S.S. and FermiLAT informs us about standard gamma ray sources

signal: gamma rays from dark matter



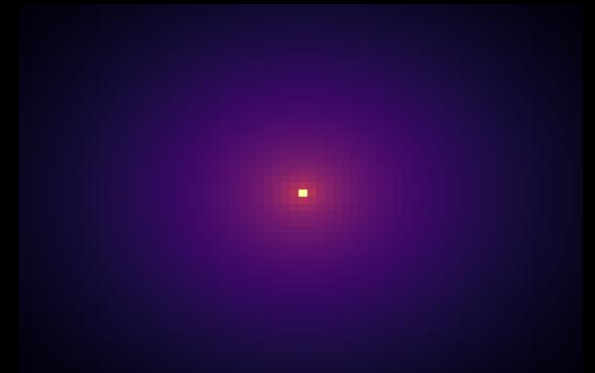
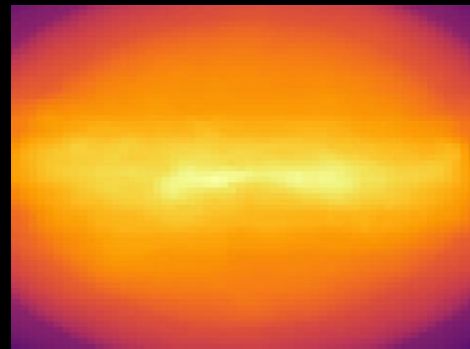
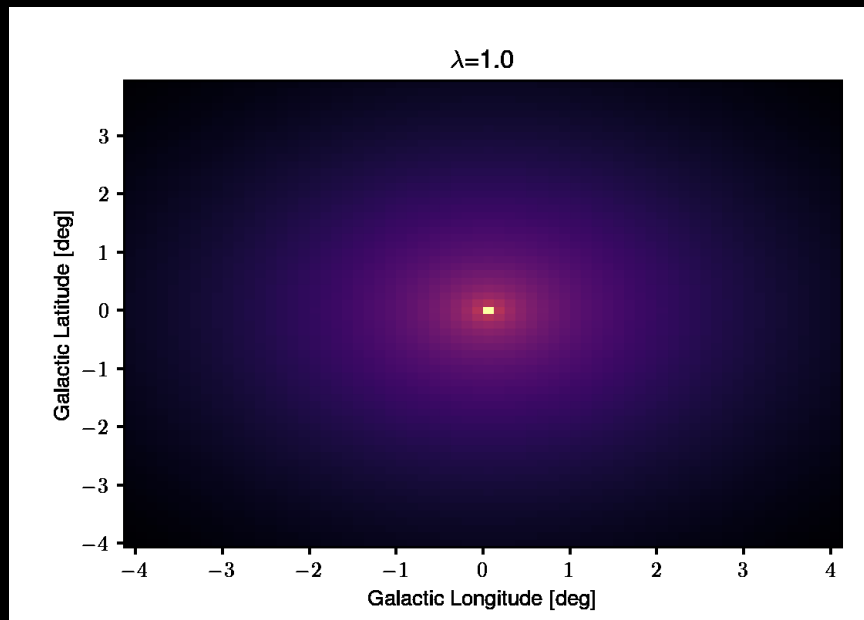
spatial distribution of the expected signal

signal: gamma rays from dark matter



energy distribution of the expected signal

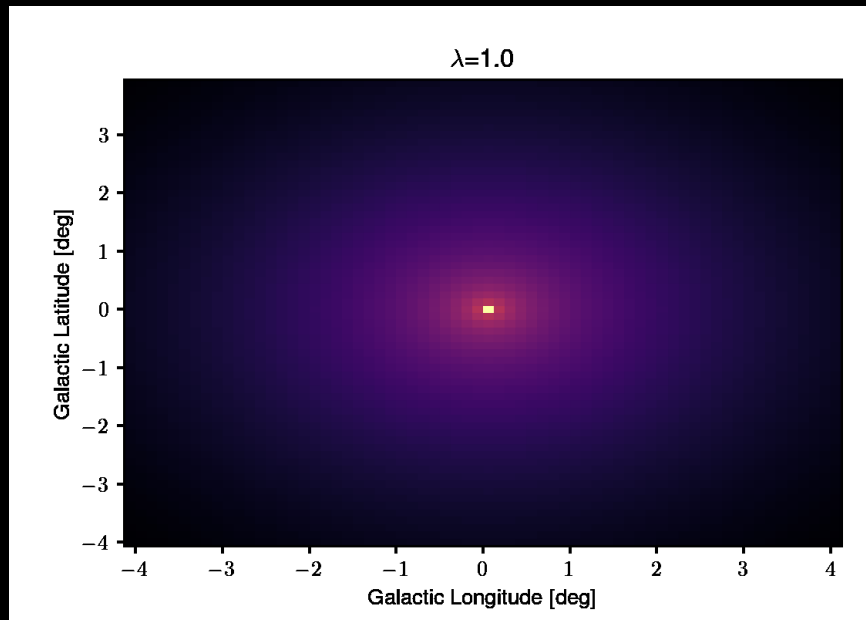
decide how much signal can CTA detect



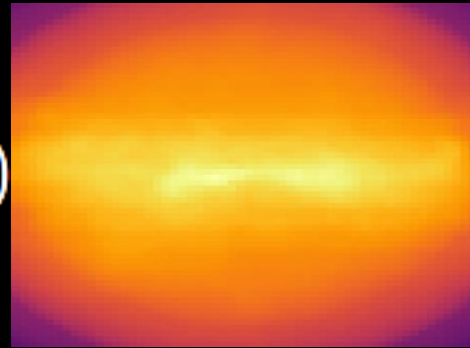
inference: probability of detecting a certain amount of signal



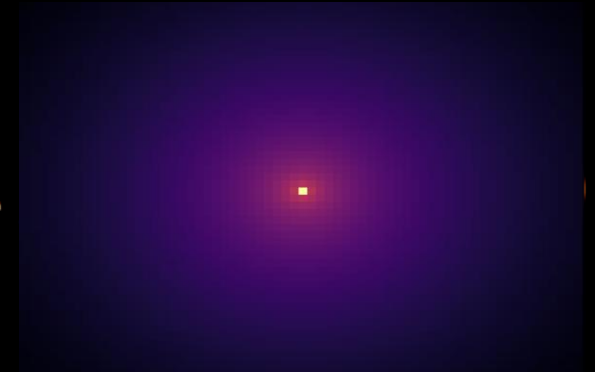
decide how much signal can CTA detect



$= (1 - \lambda)$



$+ \lambda$



reach: the minimal amount of signal CTA can detect



decide how much signal can CTA detect

$$p(E_m, \psi_m | m_\chi, \lambda, S, B) = (1 - \lambda) p(E_m, \psi_m | B) + \lambda p(E_m, \psi_m | m_\chi, S)$$

reach: the minimal amount of signal CTA can detect

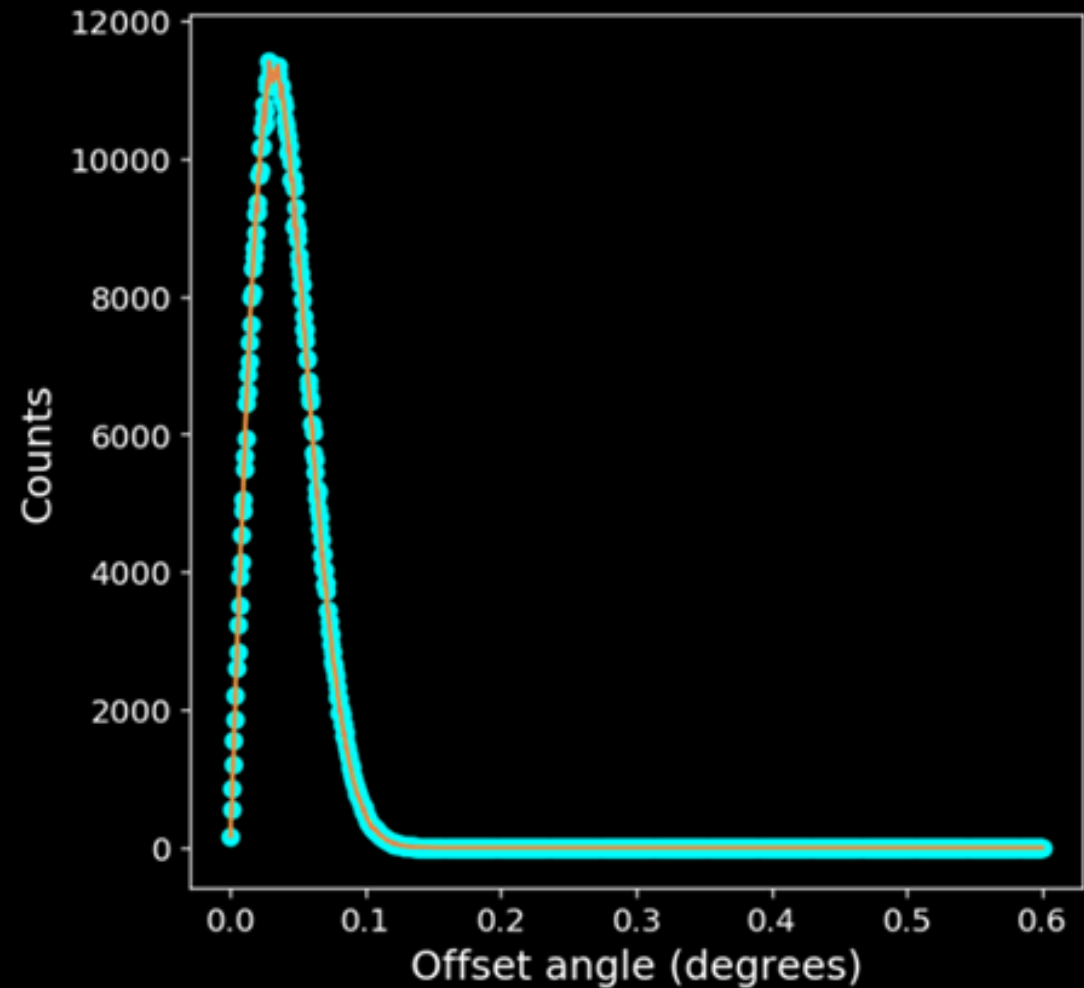
decide how much signal can CTA detect

$$p(E_m, \psi_m | m_\chi, \lambda, S, B) = (1 - \lambda) p(E_m, \psi_m | B) + \lambda p(E_m, \psi_m | m_\chi, S)$$

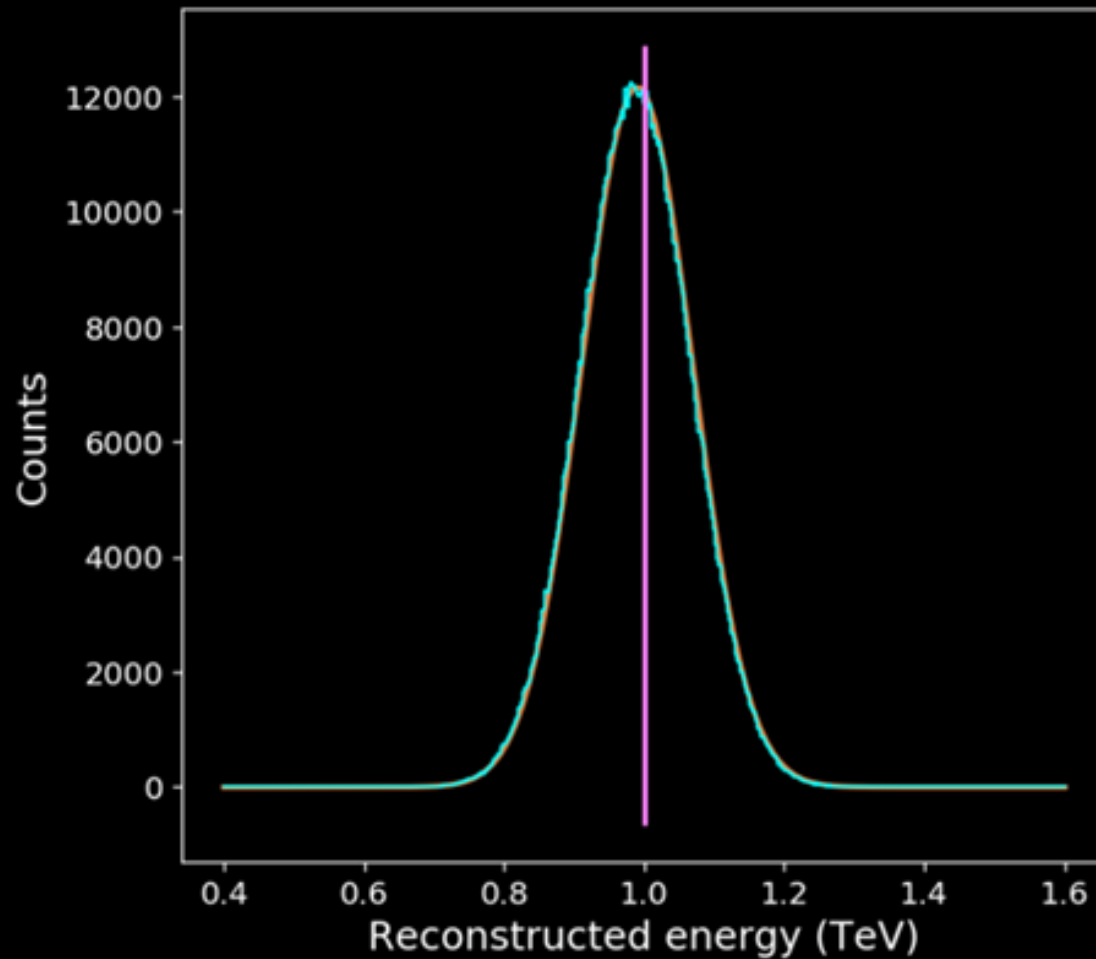
formulated in this statistical framework it is easy to fold in:

- spatial resolution of the detector (given in Gammapi)
- energy resolution of the detector (given in Gammapi)
- any other 'systematics'
- length of detection time
- limit determination or detection
- etc.

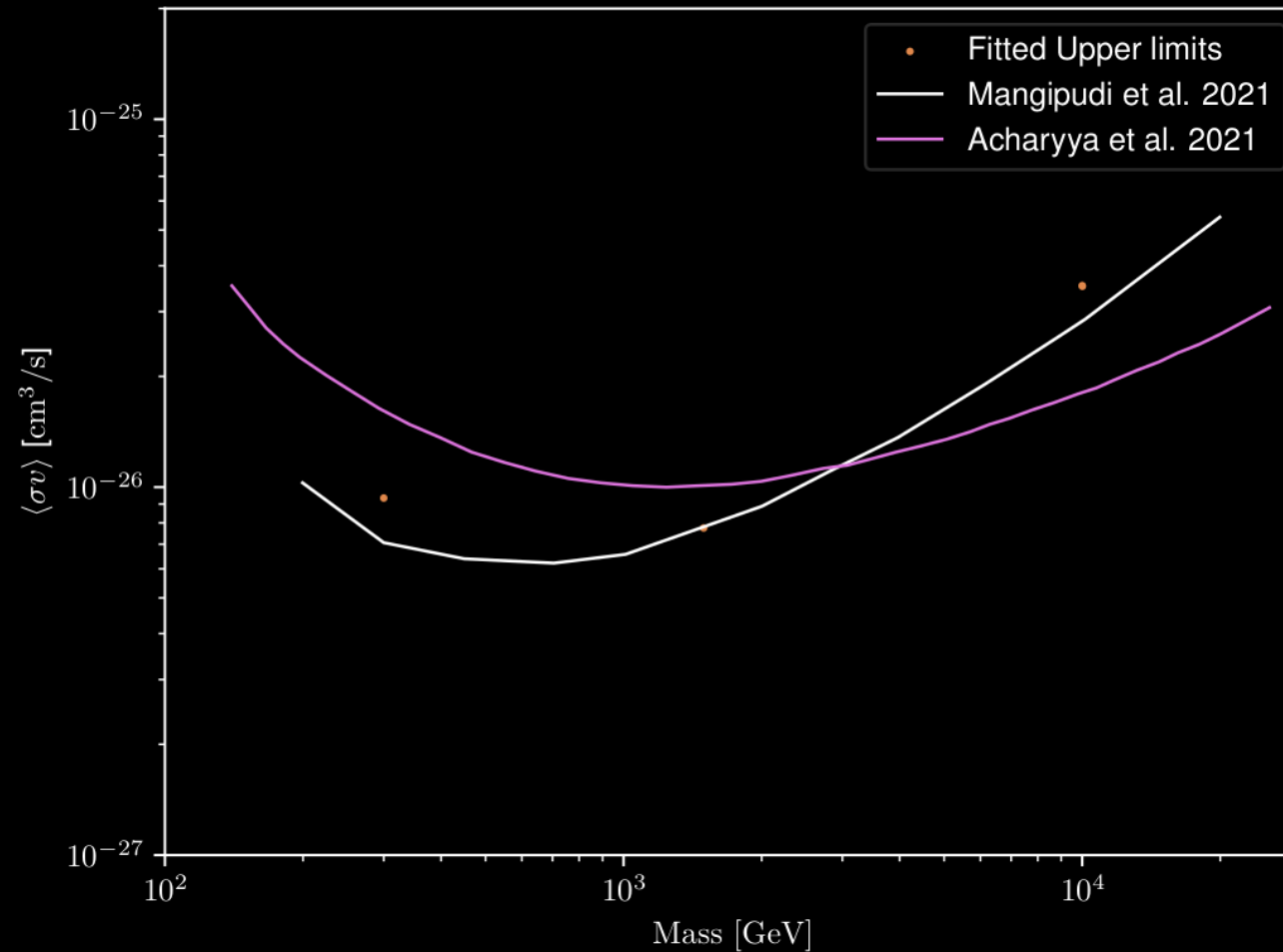
spatial resolution: point spread function



energy resolution: dispersion function



latest 'limits' for annihilation cross section



We're in the middle of updating our CTA DM reach inference framework.

The new framework will kick @ss:

- use hierarchical Bayesian inference
 - use latest detector parameters
 - accommodate any systematics
 - public code based on Gammapi

New paper is expected early next year!