

# Cosmic-Ray Models of the Ridge-Like Excess of Gamma Rays in the Galactic Centre

Chris Gordon

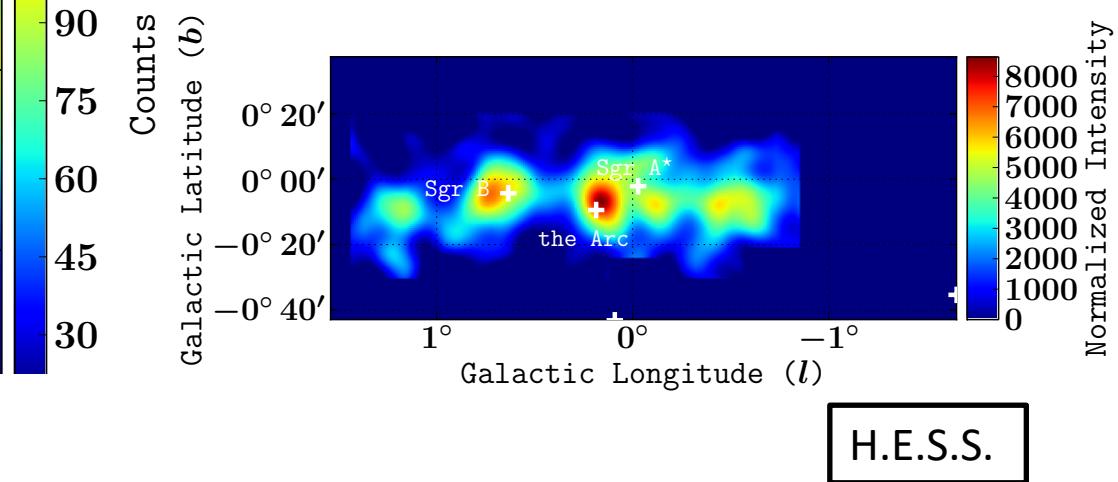
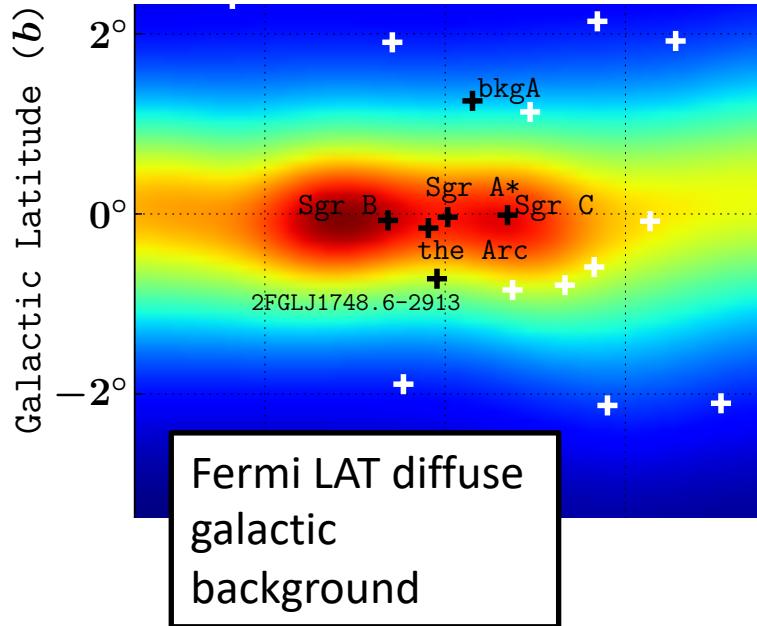
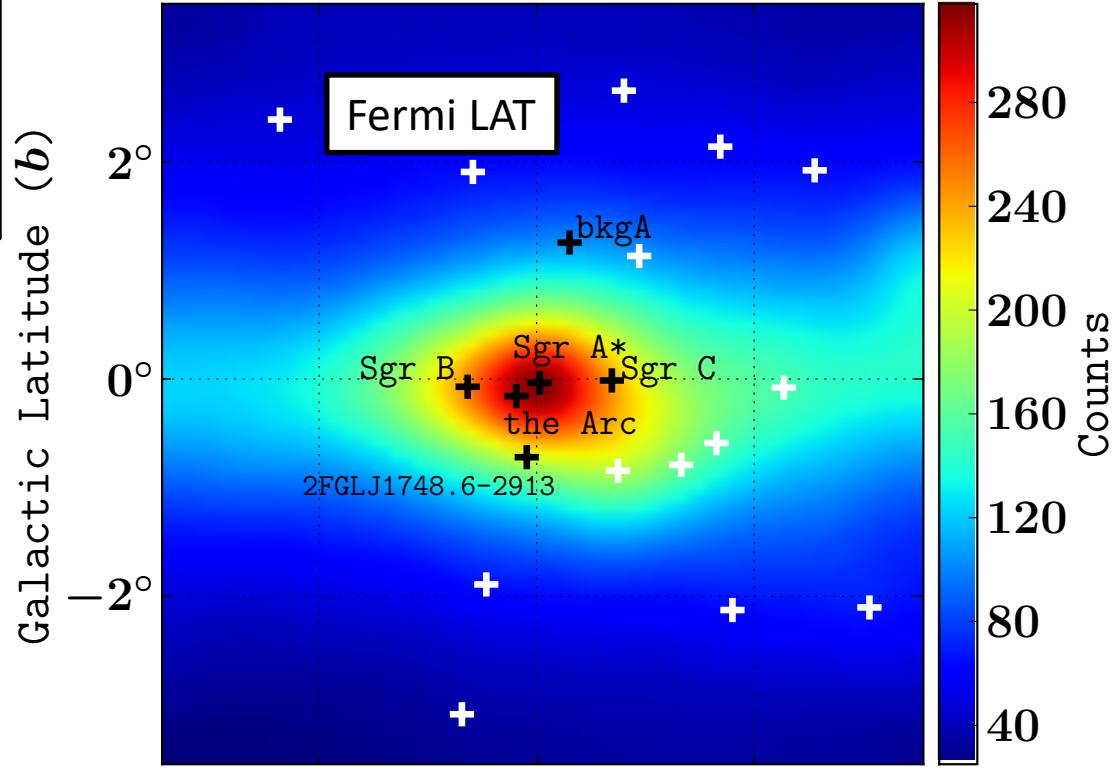
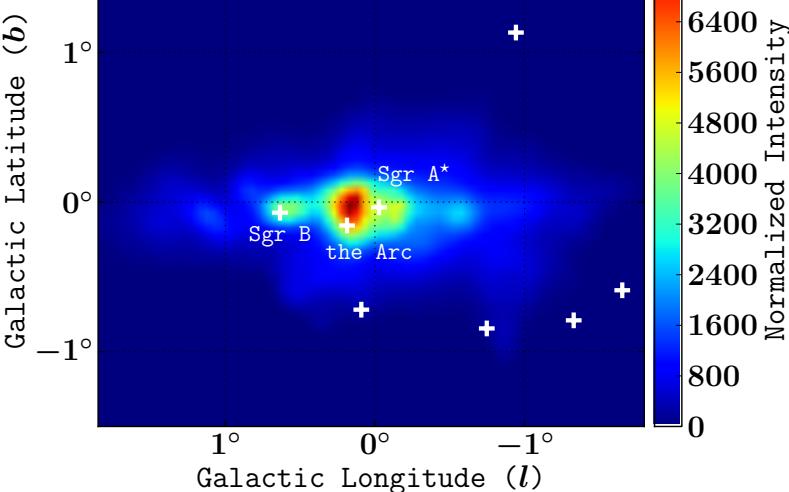
University of Canterbury

CG and O. Macias, Phys. Rev. D (2013)

O. Macias and CG, Phys. Rev. D (2014)

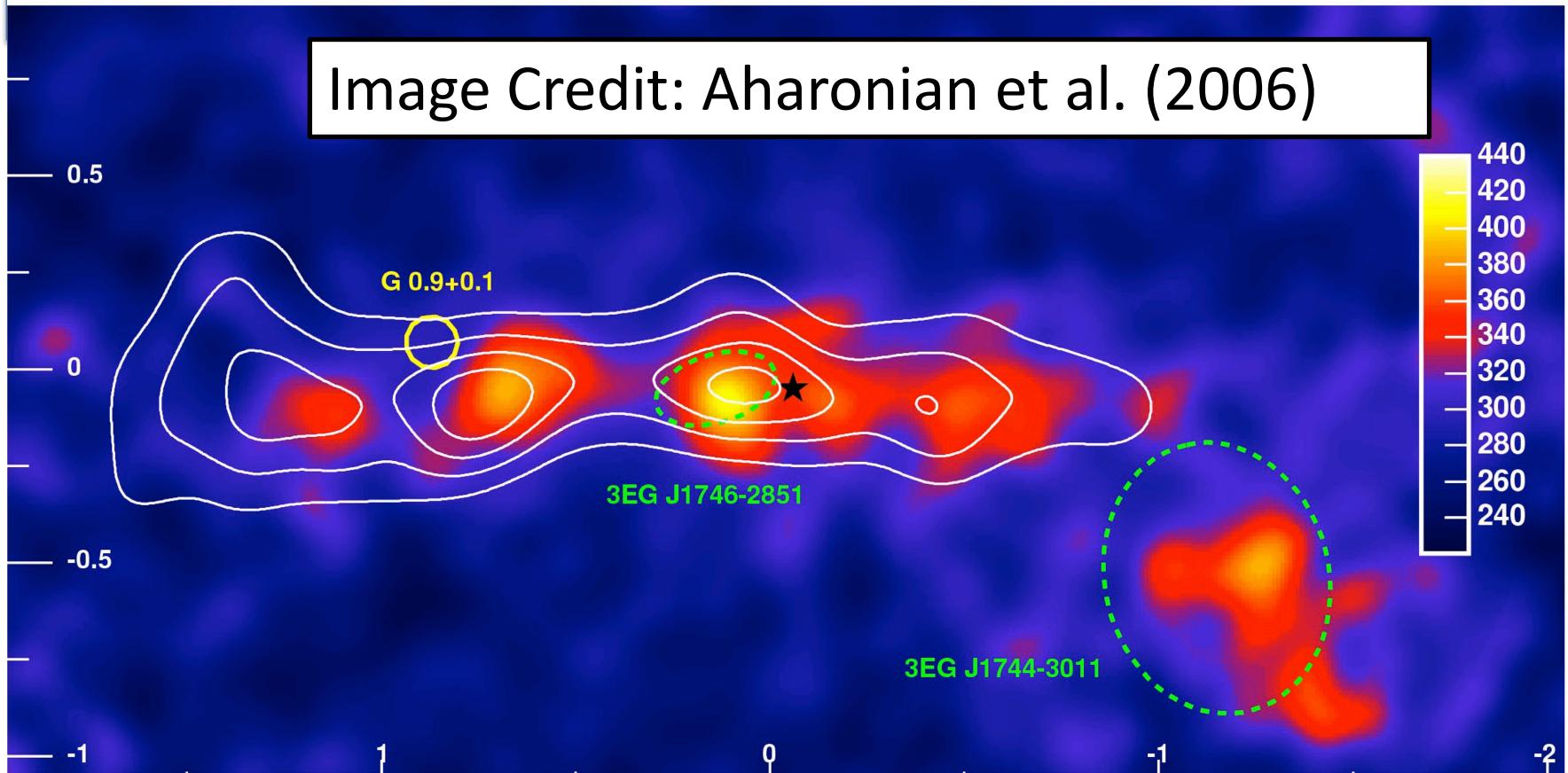
O. Macias, CG, R. Crocker, S. Profumo, MNRAS (2015)

20 cm continuum, based on GBT continuum emission data which measures nonthermal and thermal plasma distributions.



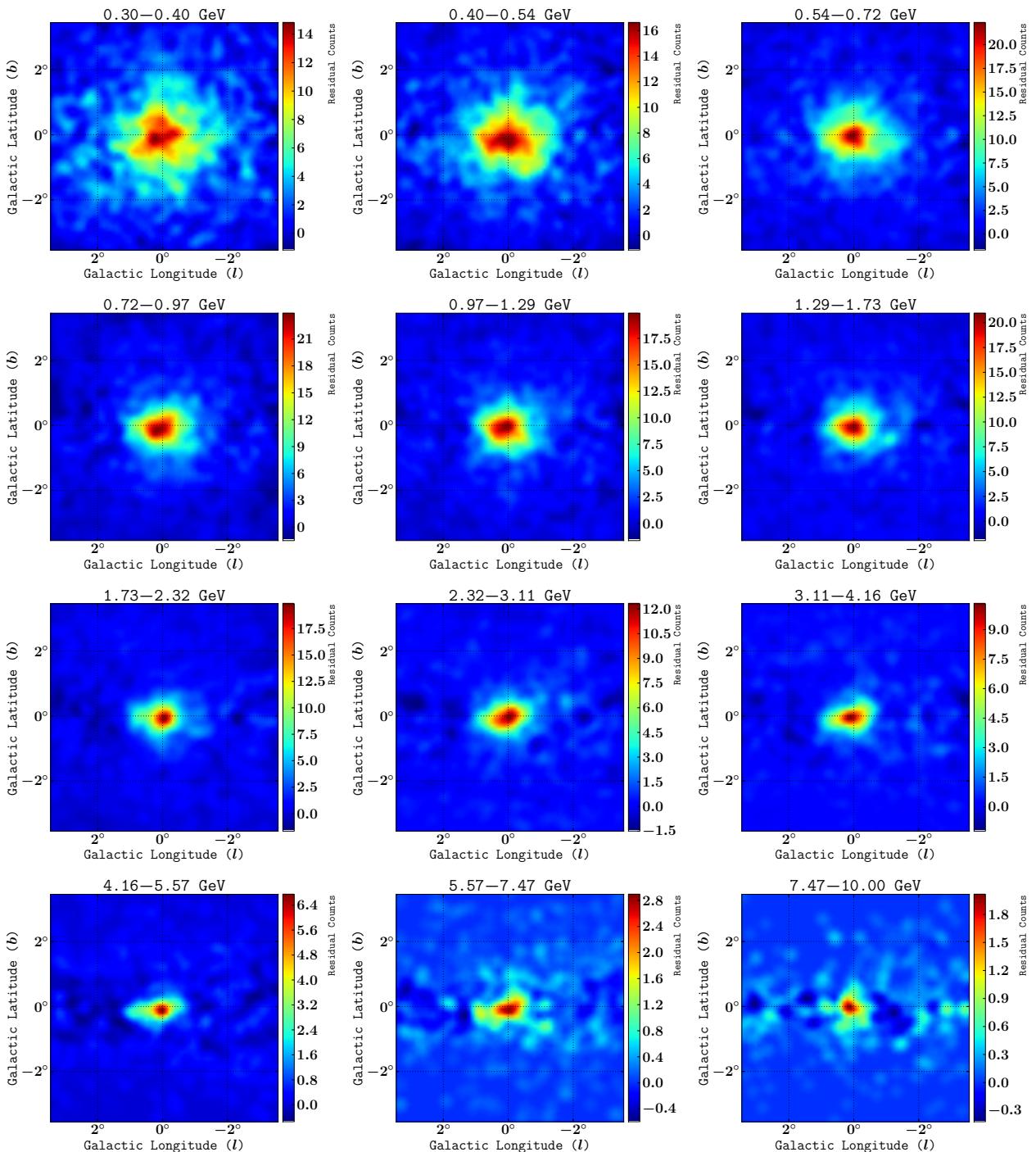
# Galactic Center Ridge

Image Credit: Aharonian et al. (2006)

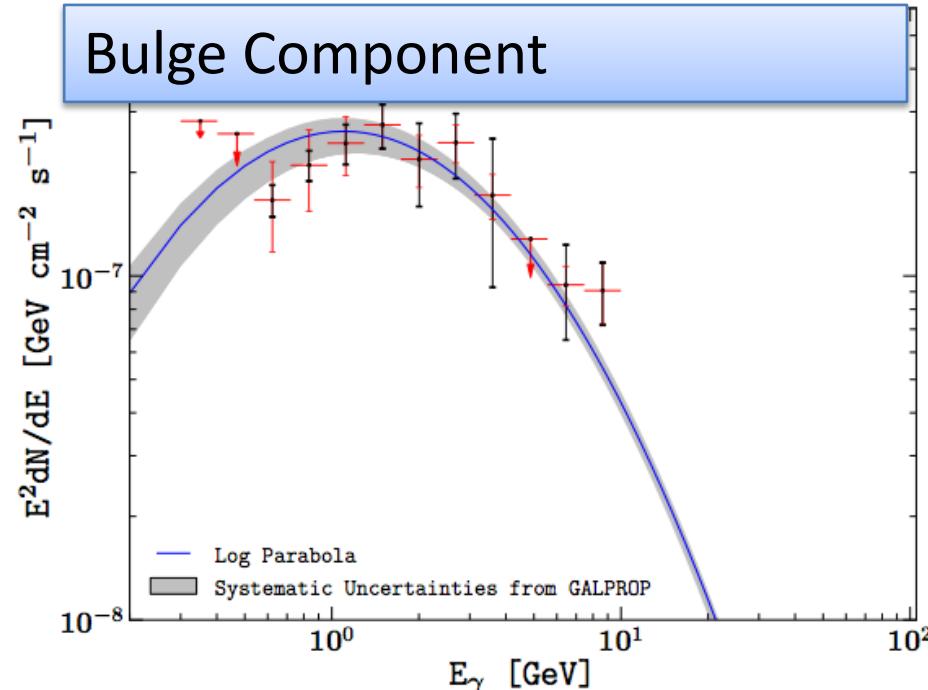
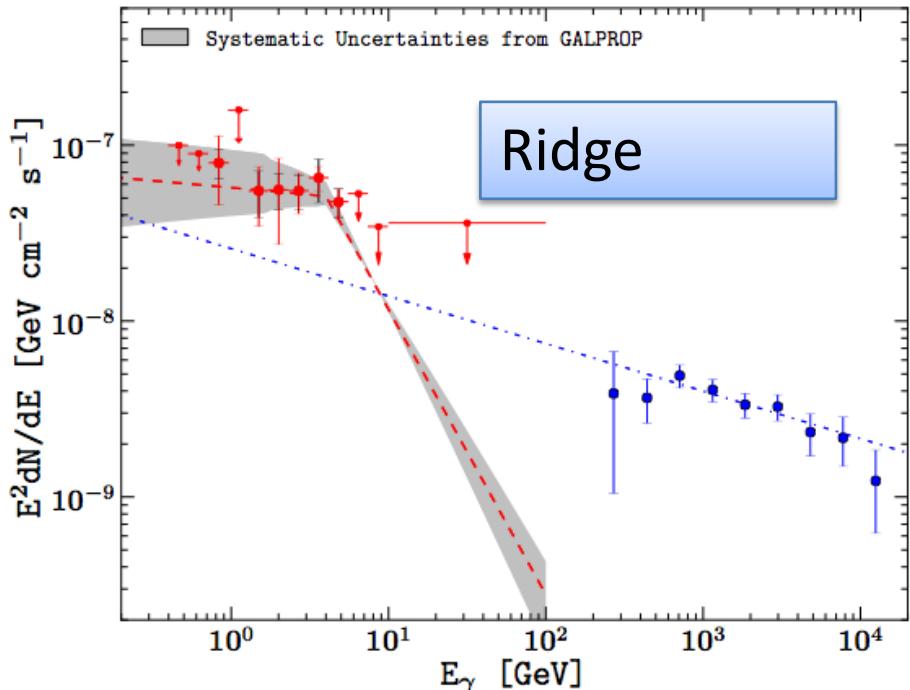


- Ridge seen in HESS TeV gamma-ray data.
- White contour lines indicate the density of molecular gas, traced by its CS emission.

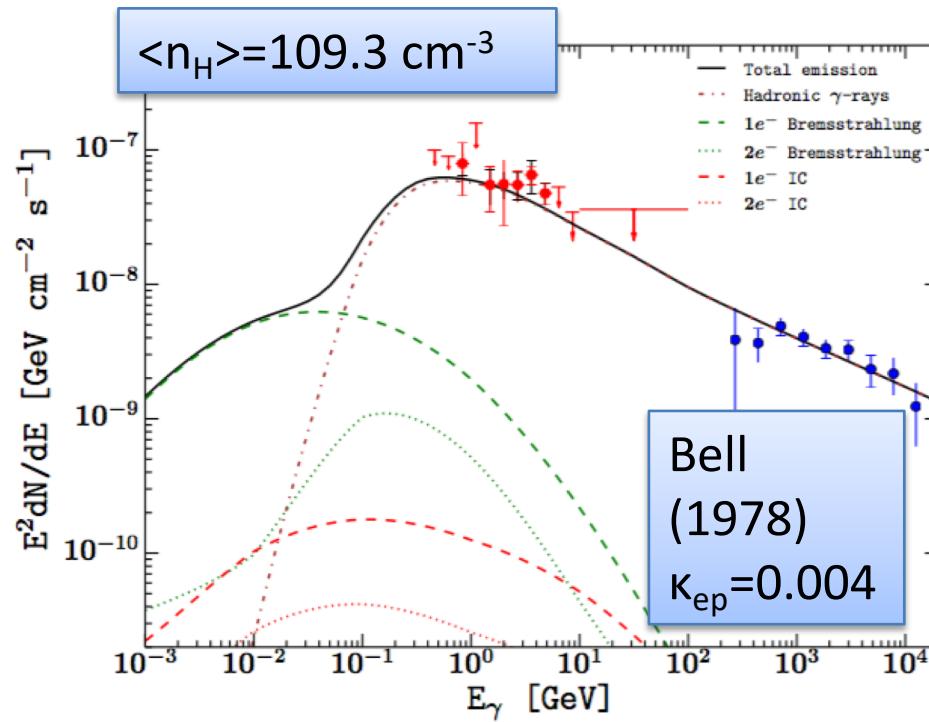
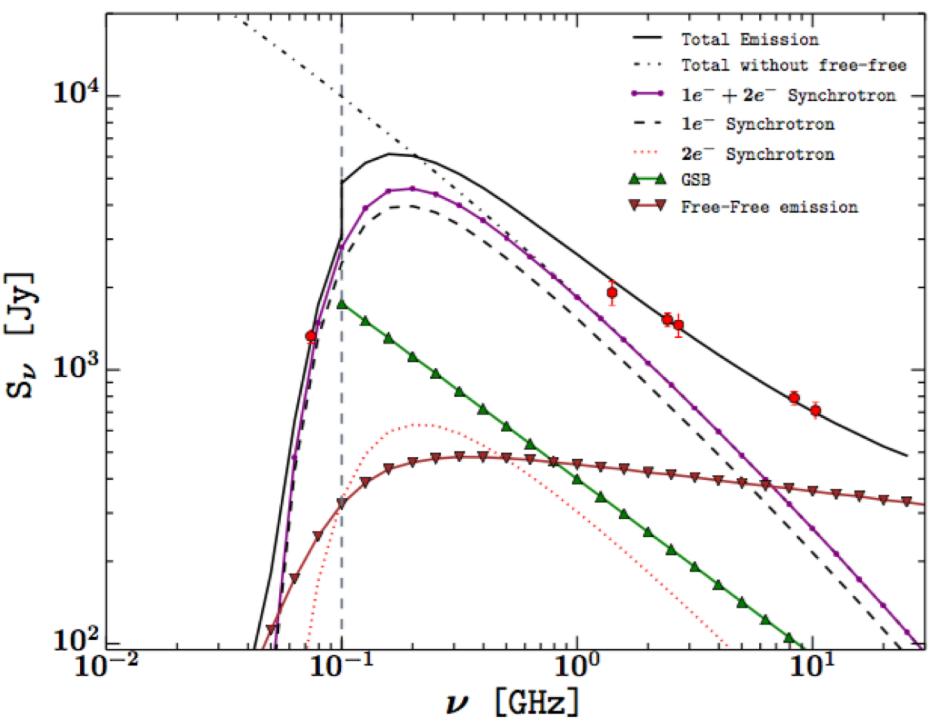
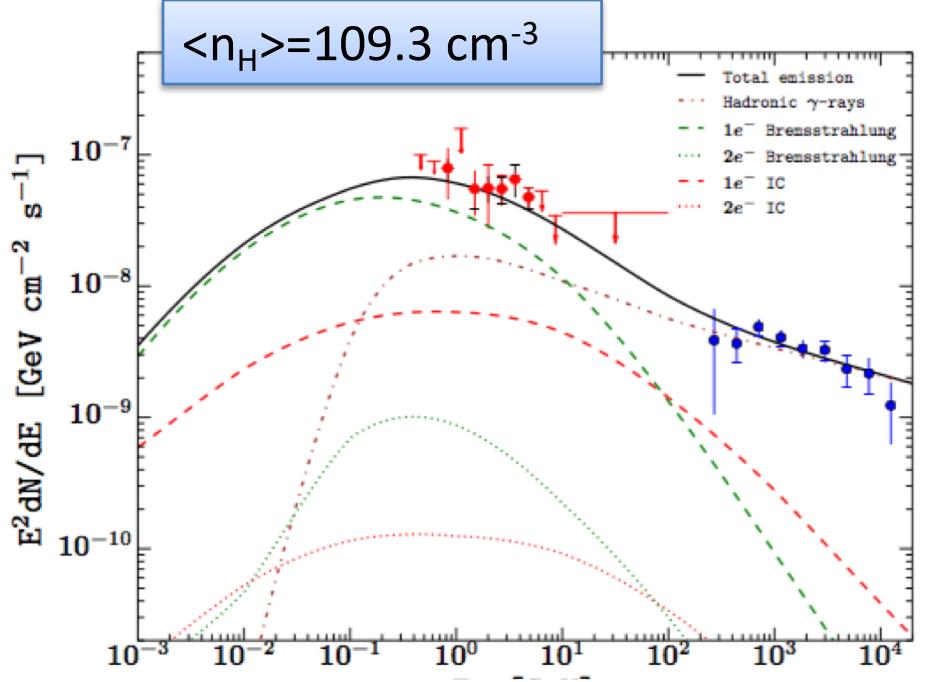
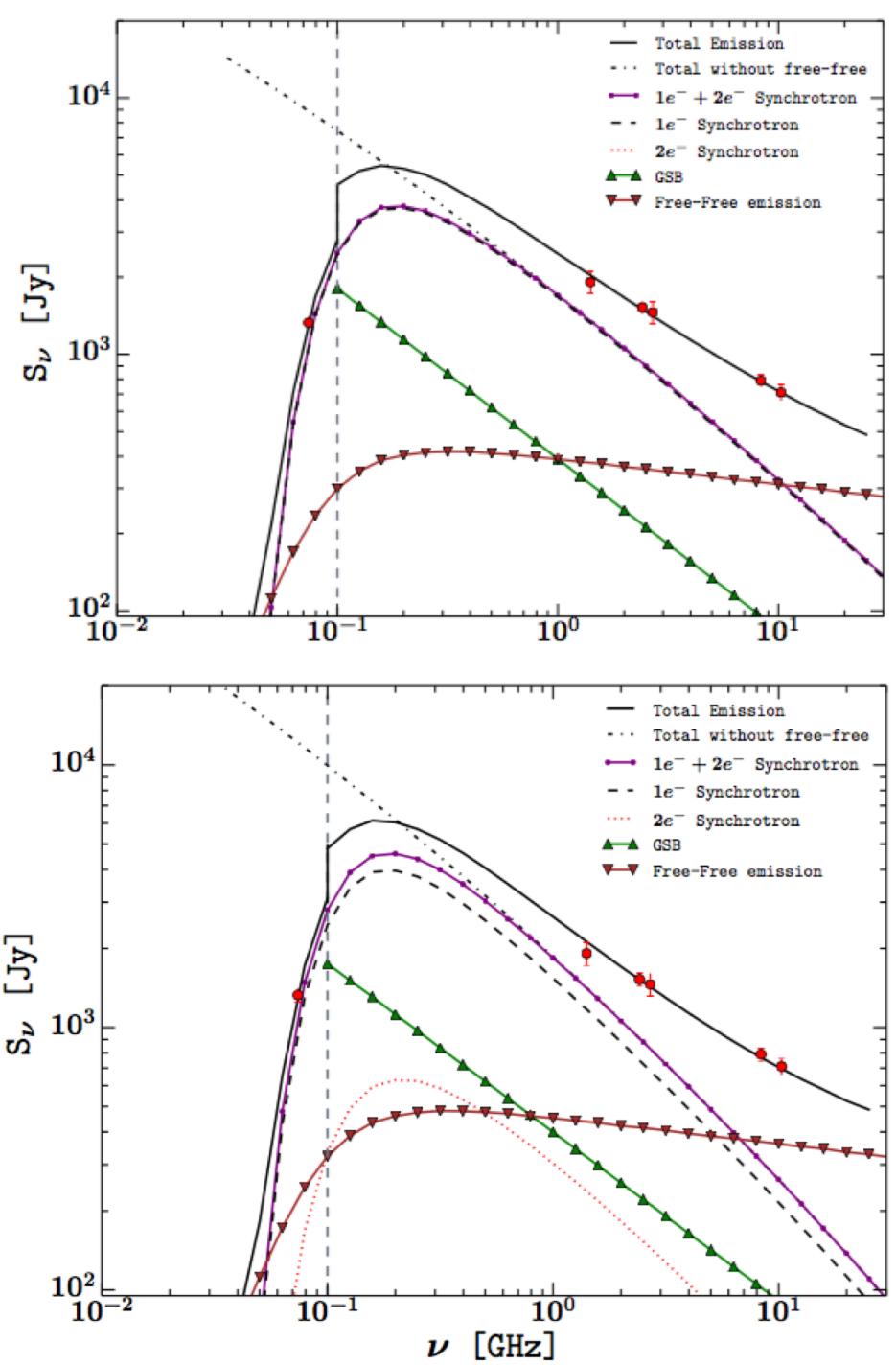
Both a ridge  
and bulge  
component  
are needed  
to fit the  
excess.



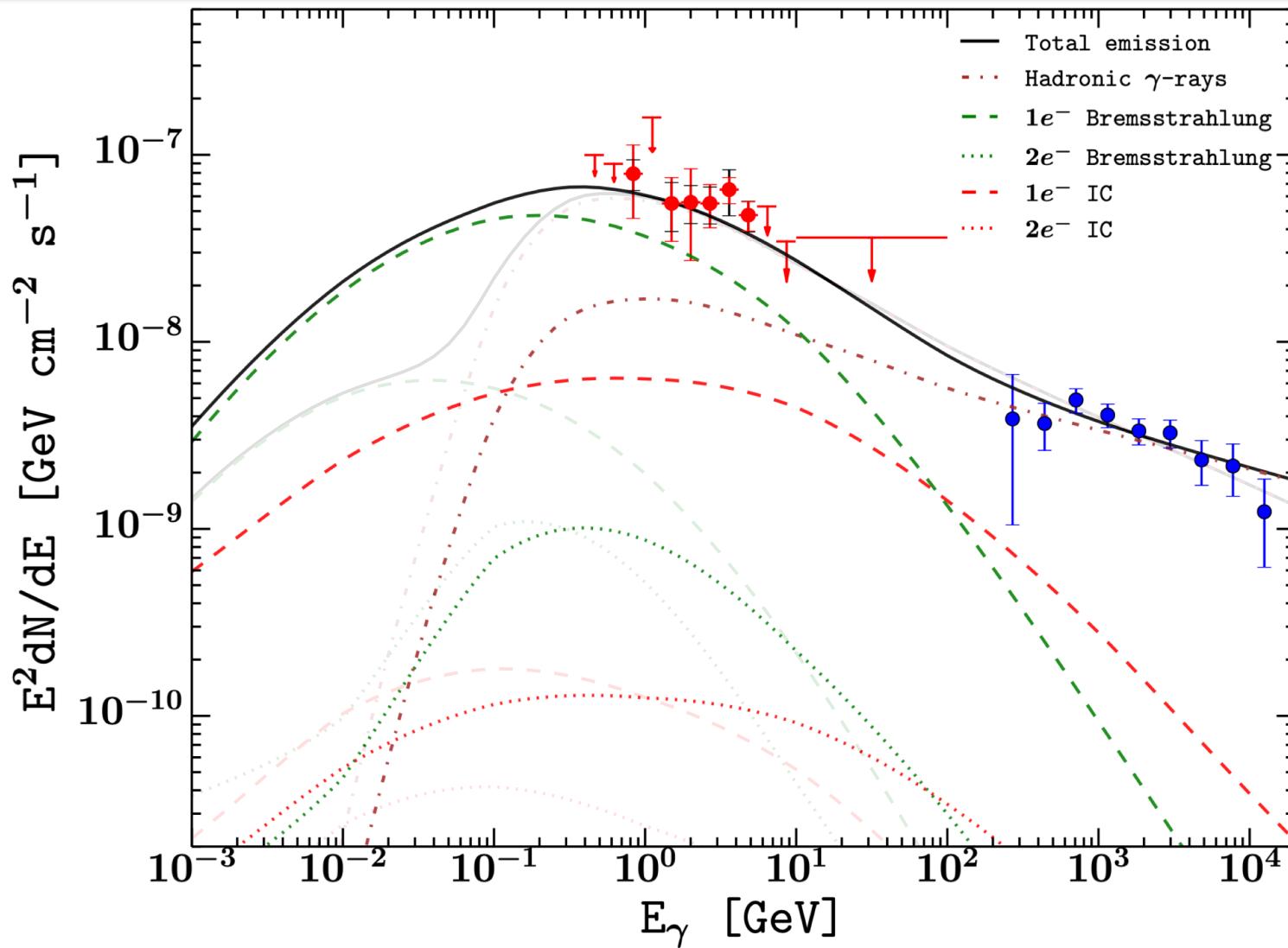
# Spectra



- Cosmic-ray models for the ridge: mainly pion decay (Crocker+2011) or mainly bremsstrahlung (Yusef-Zadeh+2012). See also Youst-Hull+2014.
- Proposals for bulge component: dark matter annihilation (Hooper&Goodenough, 2009), unresolved millisecond pulsars (MSPs) (Abazajian 2010), or DFGB error (Boyarsky+2011).



# Overlay of two models



- Mainly bremsstrahlung model = solid lines
- Mainly Pion decay model = faint lines

# Conclusions

- Fermi-LAT data has excess extended emission in the Galactic Centre.
- Both a Galactic bulge and ridge component appear to be present.
- The bulge component may be due to MSPs, an incorrect DFGB model, or possibly dark matter self-annihilation.
- The ridge component may be explained by cosmic rays interacting with the ISM.

Steady-State Model	$B$ [ $\mu\text{G}$ ]	$\Gamma_e, \Gamma_p$	$\Gamma_{\text{GSB}}$	Normalization of protons at 1 TeV [ $\text{cm}^{-3} \text{s}^{-1} \text{eV}^{-1}$ ]	$\kappa_{\text{ep}}$	$t_{\text{esc}}$ [years]	free-free flux density at 10 GHz [Jy]
Bremsstrahlung solution with $\langle n_H \rangle$ fixed	$130 \pm 20$	$2.34^{+0.06}_{-0.07}$	$0.7 \pm 0.1$	$(2 \pm 1) \times 10^{-38}$	$0.2 \pm 0.1$	$(9 \pm 6) \times 10^4$	$320 \pm 20$
$\pi^0$ -solution with $\langle n_H \rangle$ and $\kappa_{\text{ep}}^{\text{Bell}}$ fixed	$490 \pm 80$	$2.47 \pm 0.02$	$0.6 \pm 0.1$	$(11 \pm 7) \times 10^{-38}$	0.004	$(3 \pm 2) \times 10^4$	$360 \pm 20$